

Dark Matter in the Universe

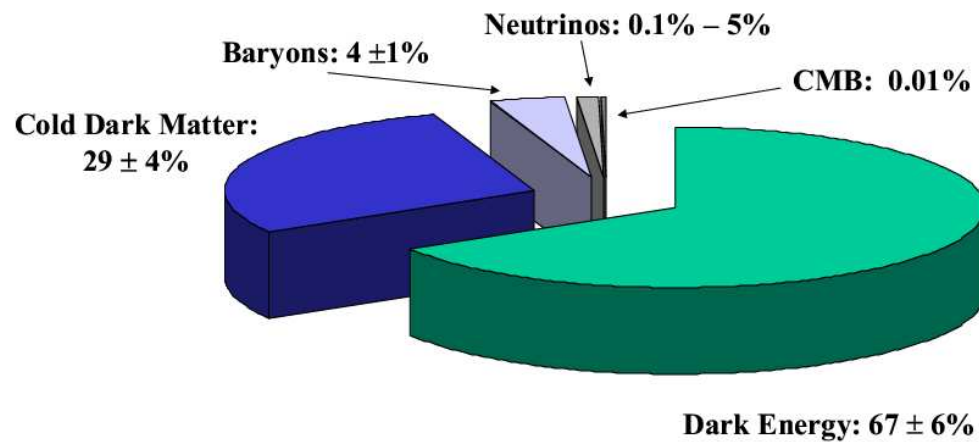
Leszek Roszkowski

Astro–Particle Theory and Cosmology Group

Sheffield, England

A Cosmic Pie

Matter and Energy in the Universe: A Strange Recipe



Freedman+Turner

What Cosmology Tells Us...

Post WMAP (Feb 03) ...+ACBAR+CBI

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- $\Omega_m h^2 = 0.135^{+0.008}_{-0.009}$
- $\Omega_b h^2 = 0.0224 \pm 0.0009$
- $h = 0.71^{+0.04}_{-0.03}$
- ...

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$$\Omega = \rho / \rho_{crit}$$

$$\text{Hubble } H_0 = 100 h \text{ km/s/Mpc}$$

- $\Omega_m h^2 = 0.135^{+0.008}_{-0.009}$
- $\Omega_b h^2 = 0.0224 \pm 0.0009 \quad \Rightarrow \text{most matter non-baryonic}$
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- numerical simulations of LSS

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$\Rightarrow$ cold DM

$$0.094 < \Omega_{CDM} h^2 < 0.129 \quad (2\sigma)$$

(previously $0.1 \lesssim \Omega_\chi h^2 \lesssim 0.3$)

- • •

Thessaloniki, 21 Apr '05 – p.4

- astrophysical limits on exotic elements

(anomalous nuclei)

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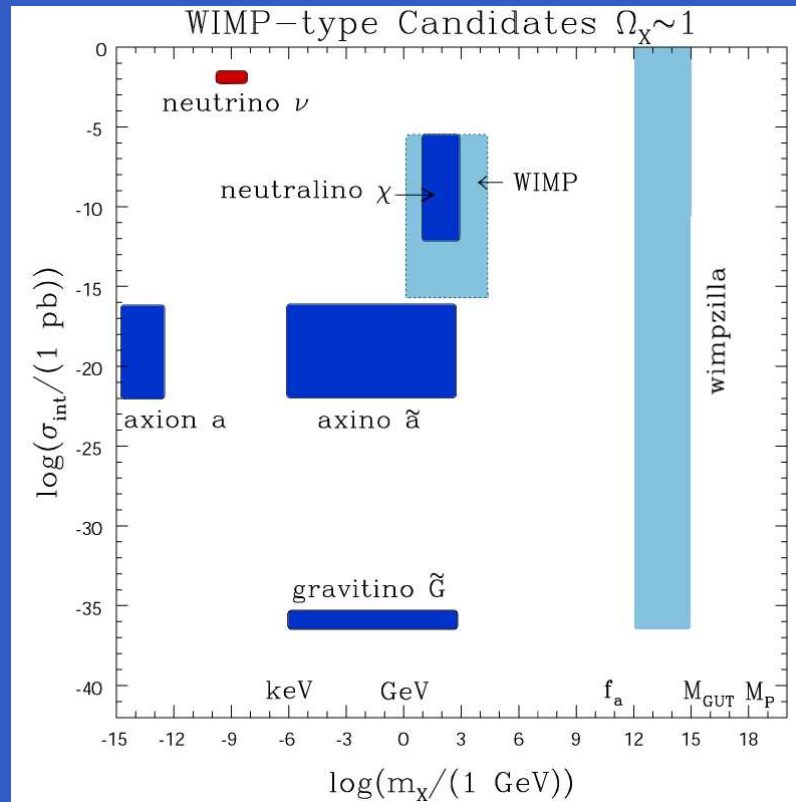
WIMP

weakly interacting massive particle

The Big Picture

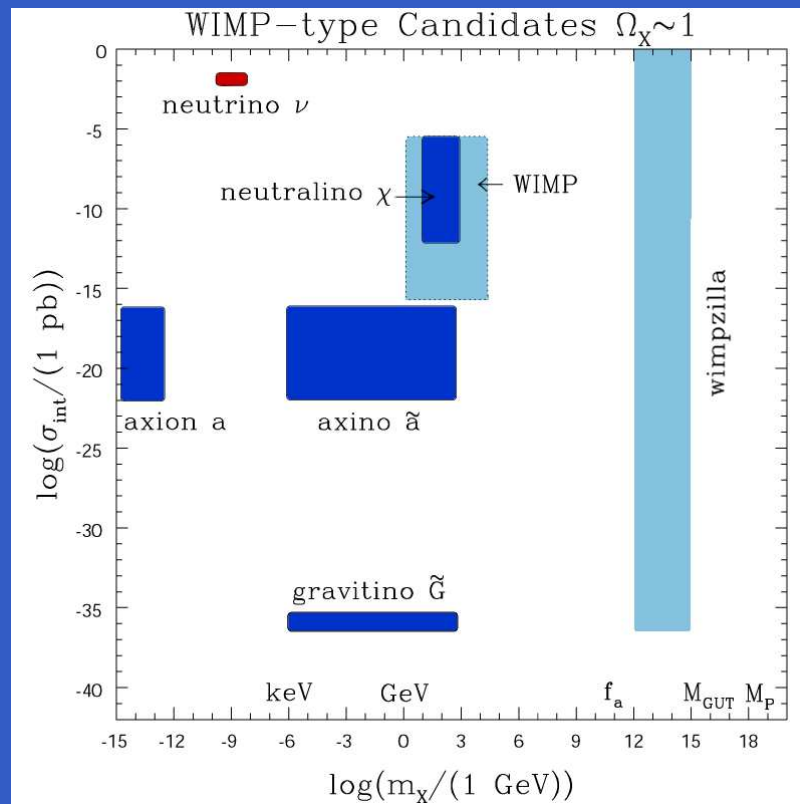
well-motivated particle candidates s.t. $\Omega \sim 0.1$

The Big Picture



- neutrino ν – hot DM
- neutralino χ
- “generic” WIMP
- axion a
- axino $\tilde{a}$
- gravitino $\tilde{G}$
- wimpzilla,...

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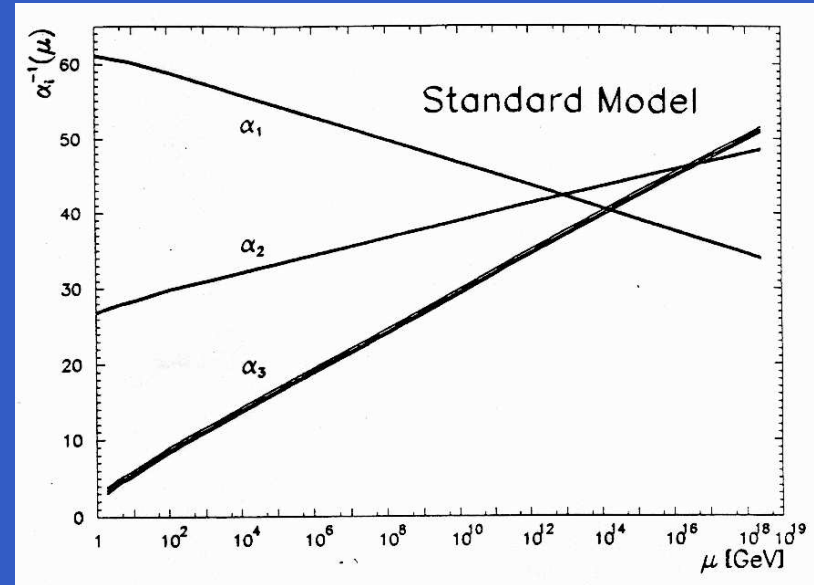
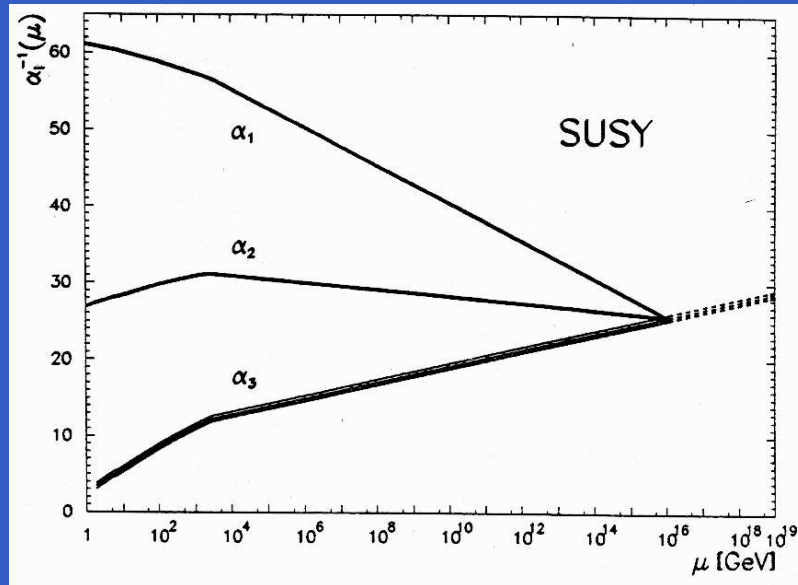


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...Must go beyond SM...,

SUSY (still) most promising

To SUSY or not to SUSY?



gauge couplings “run” with energy



Outline



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in terms of model's parameters
(match exp'tal precision, $\sim 8\%$)

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specific predictions strongly model-dependent

...may be a virtue

Neutralino?

Neutralino?

Supersymmetric	Standard Model
gauginos	gauge bosons
higgsinos	Higgs bosons
sleptons	leptons
squarks	quarks
$R = -1$	$R = +1$

“neutralino” χ : lightest mass e’s state of neutral gauginos and higgsinos

Majorana fermion ($\chi^c = \chi$)

stable, massive $\Rightarrow$ LSP

SUSY Models

Two basic approaches:

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- general MSSM

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Constraining SUSY

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⇒ light Higgs:

SM-like: $m_h > 114.4 \text{ GeV}$ (LEP)

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$$2.7 \sigma (e^+ e^-) ('04)$$

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$$\Leftarrow b \rightarrow s \gamma:$$

(full LO) + (tan β -enhanced NLO)
in MFV framework
highly unstable

$b \rightarrow s\gamma$ and GFM

general flavor mixing

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general flavor mixing

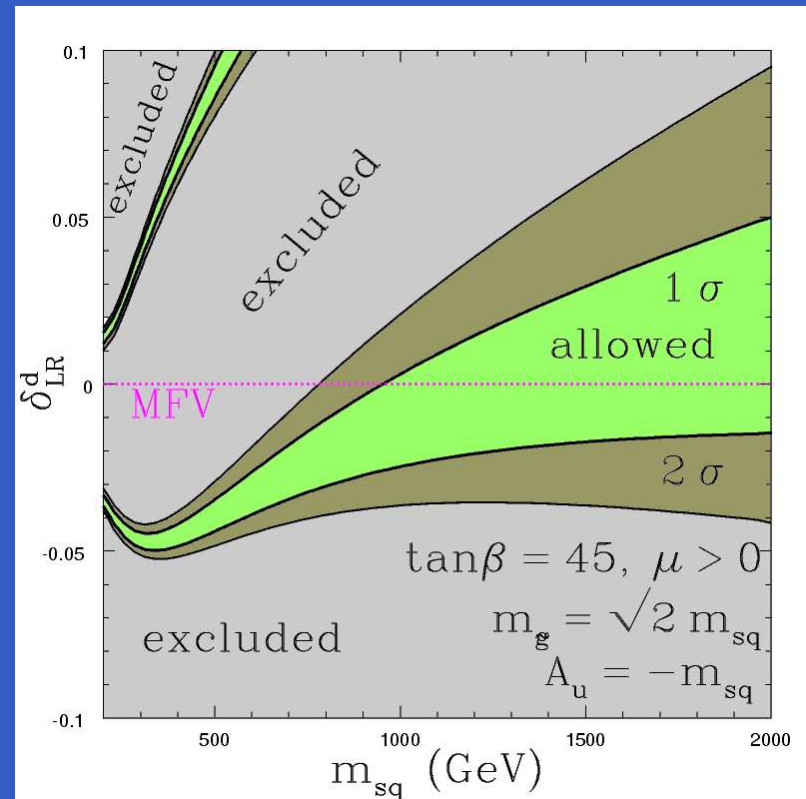
include dominant NLO-level contributions

enhanced at large $\tan\beta$

$$(\delta_{LL}^d) = \frac{(m_{d,LL}^2)_{23}}{\sqrt{(m_{d,LL}^2)_{22}(m_{d,LL}^2)_{33}}}$$

MFV: mixings among squarks identical to those among quarks
 $\Rightarrow \delta_{LL}^d = 0$

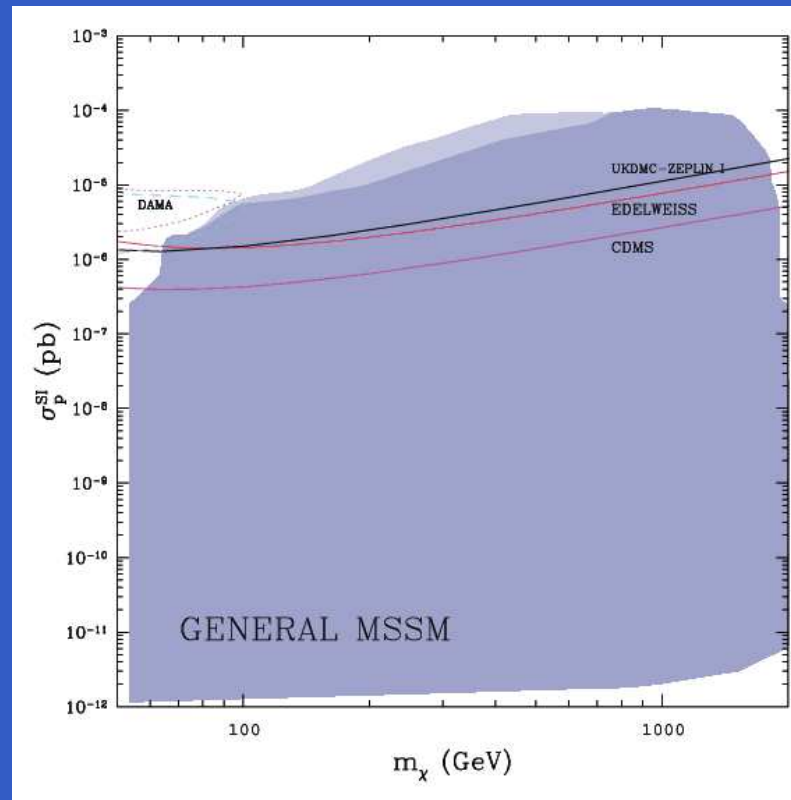
Okumura+Roszkowski, PRL'04



bounds highly unstable against small perturbations of MFV

MSSM: Expectations for σ_p^{SI}

$\mu > 0$



σ_p^{SI} – WIMP–proton SI elastic scatt. c.s.

(elastic c.s. for $\chi p \rightarrow \chi p$ at zero momentum transfer)

-
-
-

How to Catch the WIMP?

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Since the birth of time, mankind has searched everywhere for an answer to that age old question...

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Since the birth of time, mankind has searched everywhere for an answer to that age old question...

...go underground

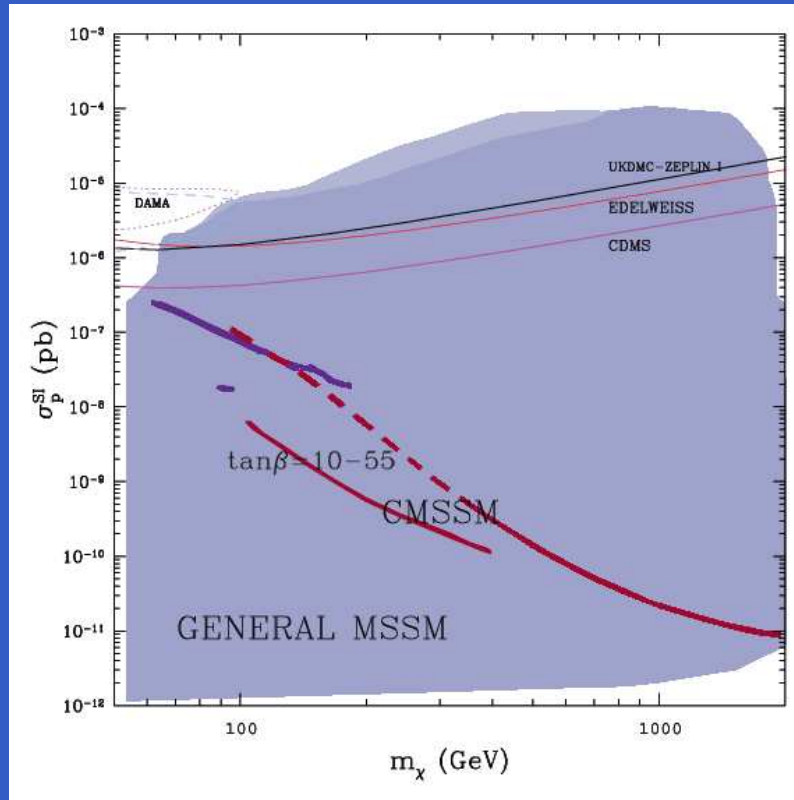
How to Catch the WIMP?



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...grand unification!

Expectations for σ_p^{SI} with unification



σ_p^{SI} – WIMP–proton SI elastic scatt. c.s.

blue: general MSSM

red: Constrained MSSM

Constrained MSSM

...aka mSUGRA

At M_{GUT} :

Constrained MSSM

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At M_{GUT} :

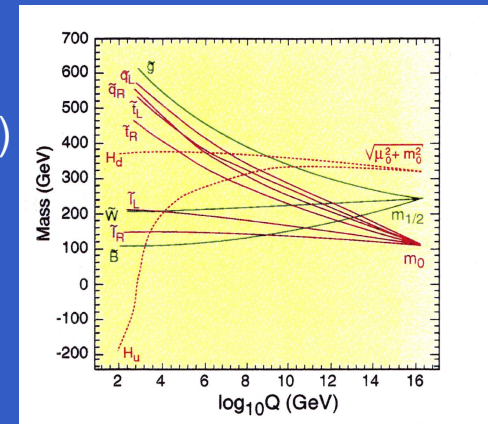
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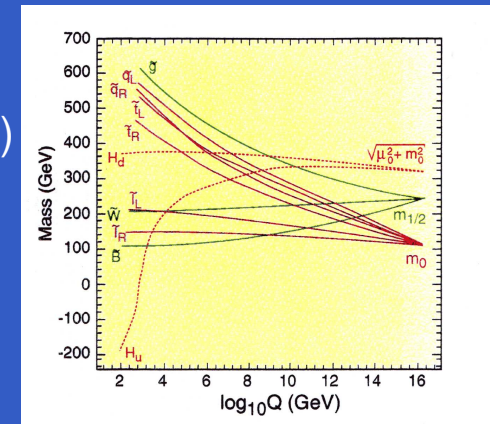


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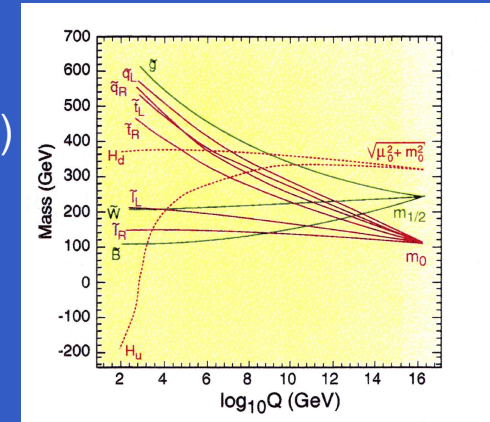
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- radiative EWSB

$$\mu^2 = \frac{(m_{H_b}^2 + \Sigma_b^{(1)}) - (m_{H_t}^2 + \Sigma_t^{(1)}) \tan^2 \beta}{\tan^2 \beta - 1} - \frac{m_Z^2}{2}$$



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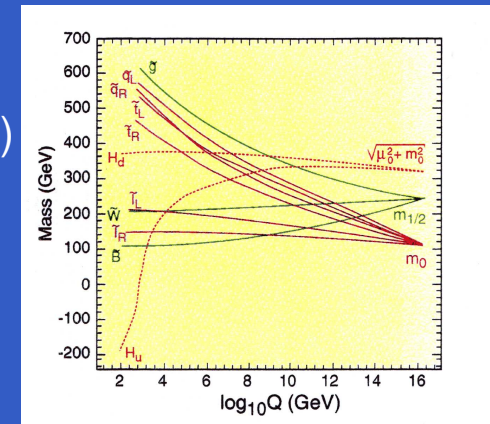
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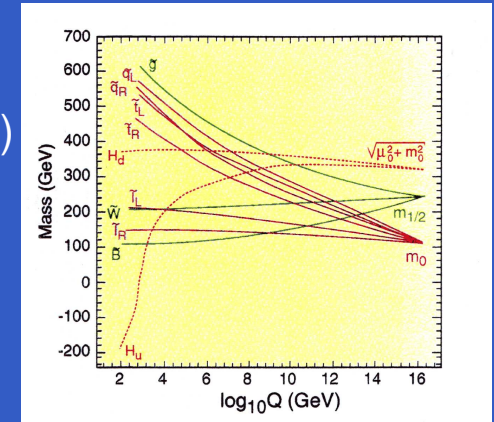
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- mass spectra at m_Z :
run RGEs, 2-loop for g.c. and Y.c, 1-loop for masses
- some important quantities (μ , m_A , ...) very sensitive to procedure of computing EWSB & minimizing V_H

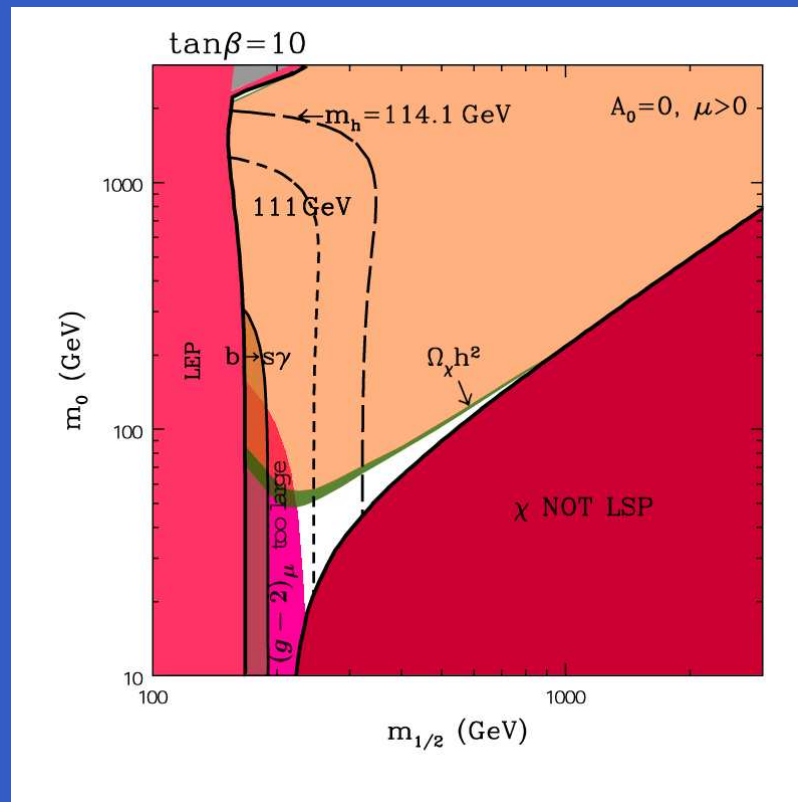


we use Suspect

Constrained MSSM

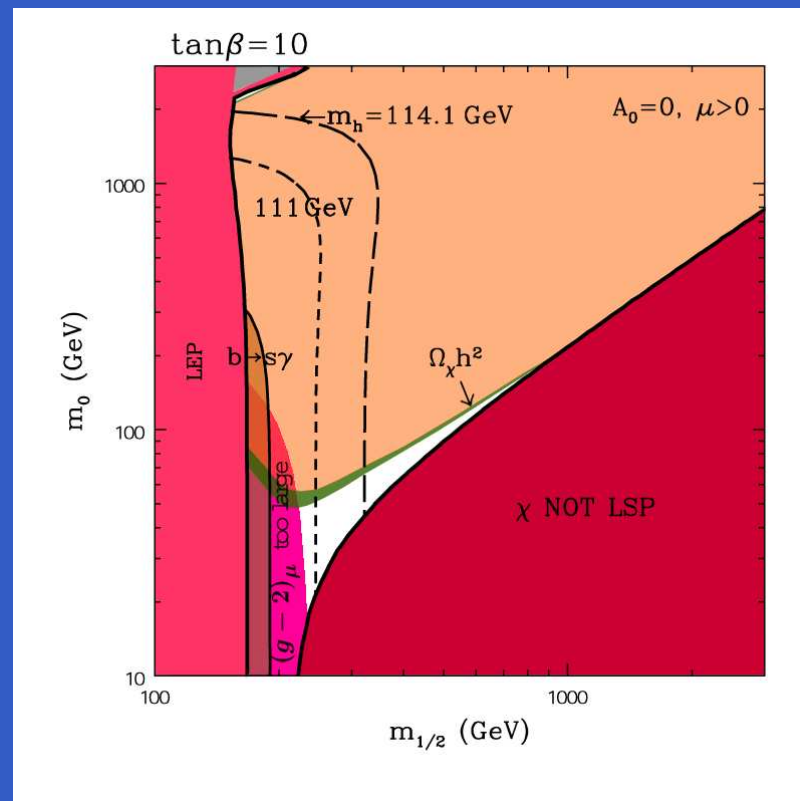
Constrained MSSM

$$\tan \beta \lesssim 45$$

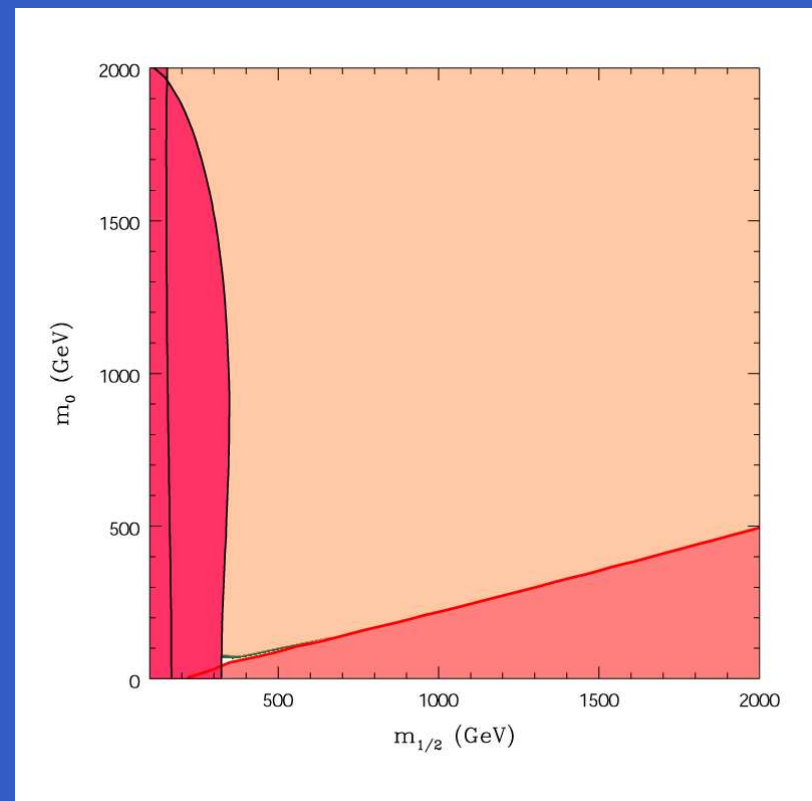


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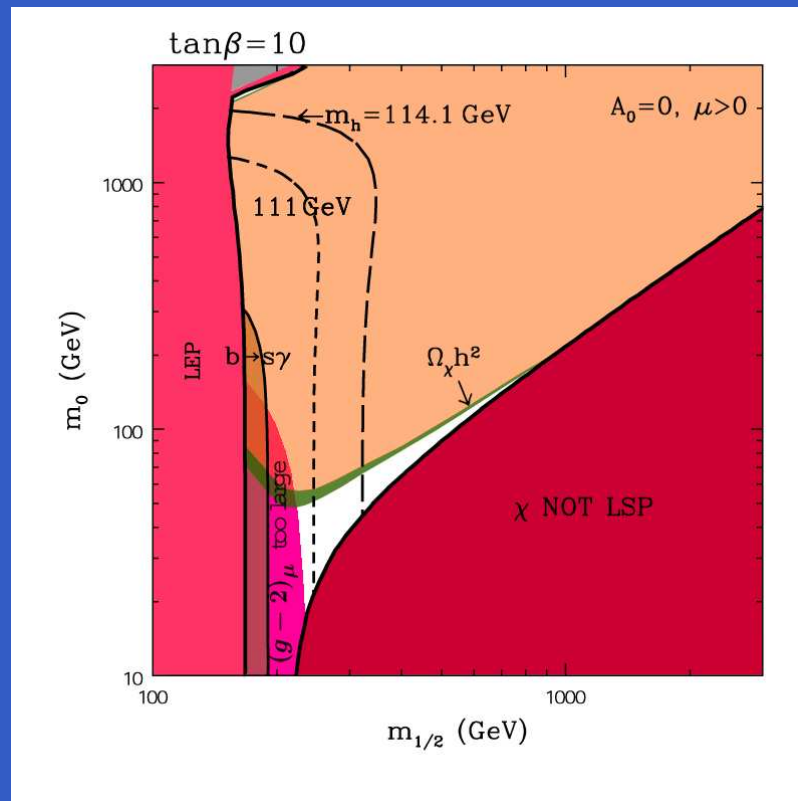


$$\tan \beta \lesssim 45, \text{ linear}$$

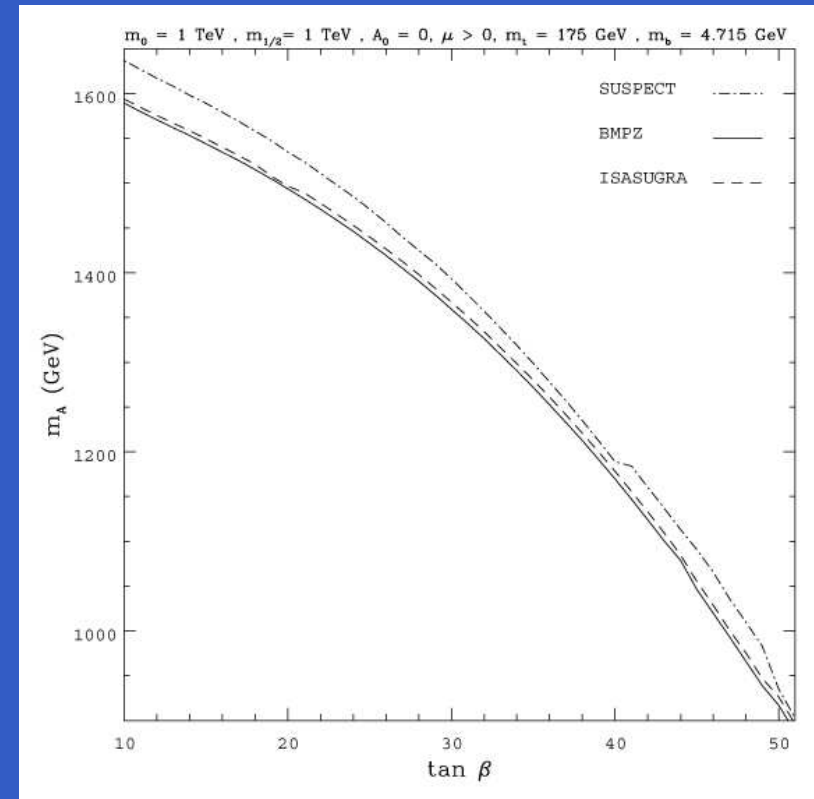


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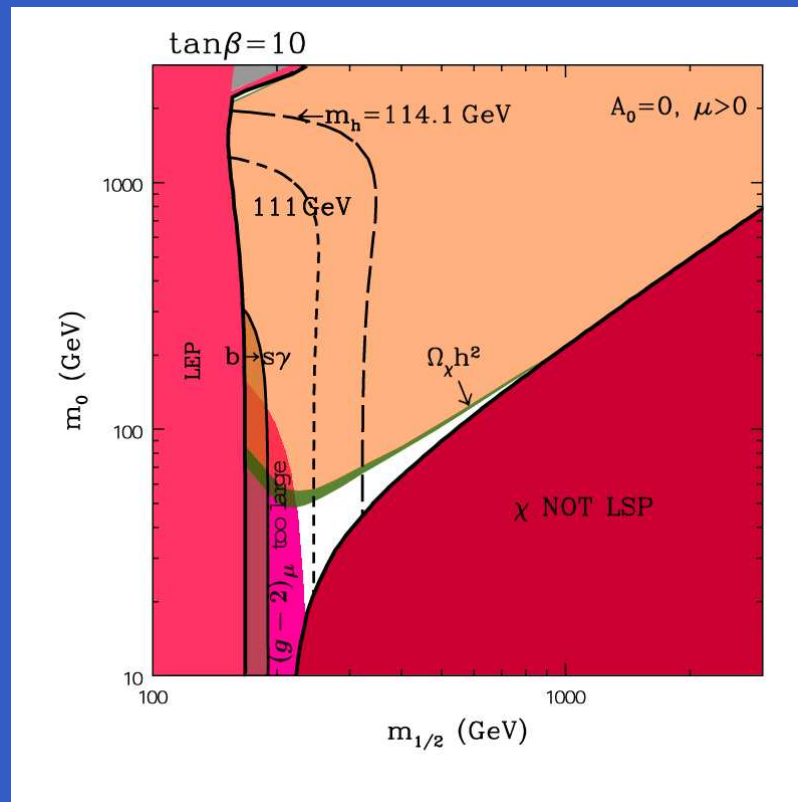


$$m_A \text{ vs. } \tan \beta$$

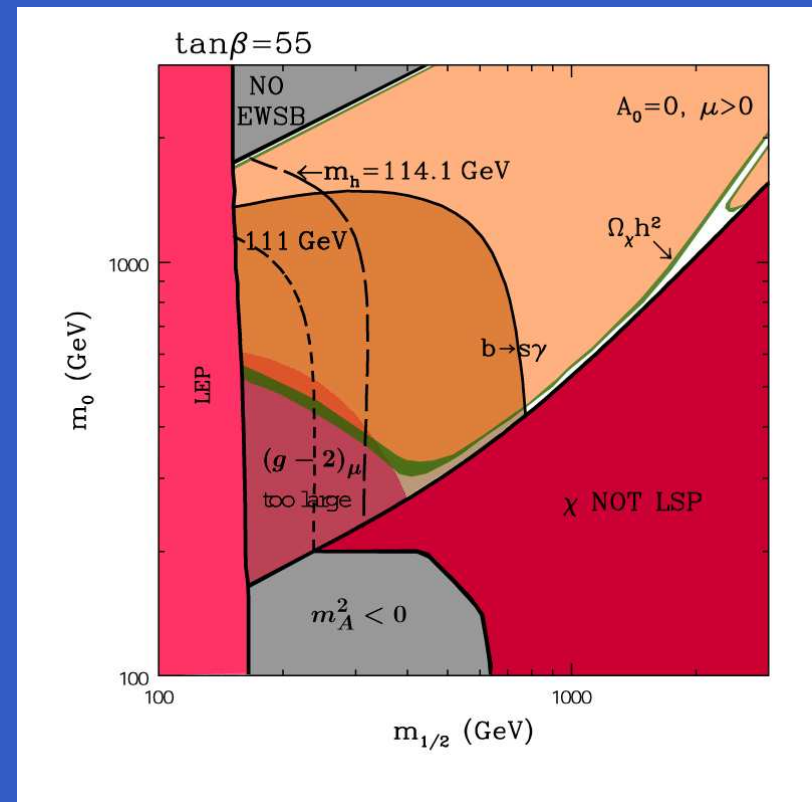


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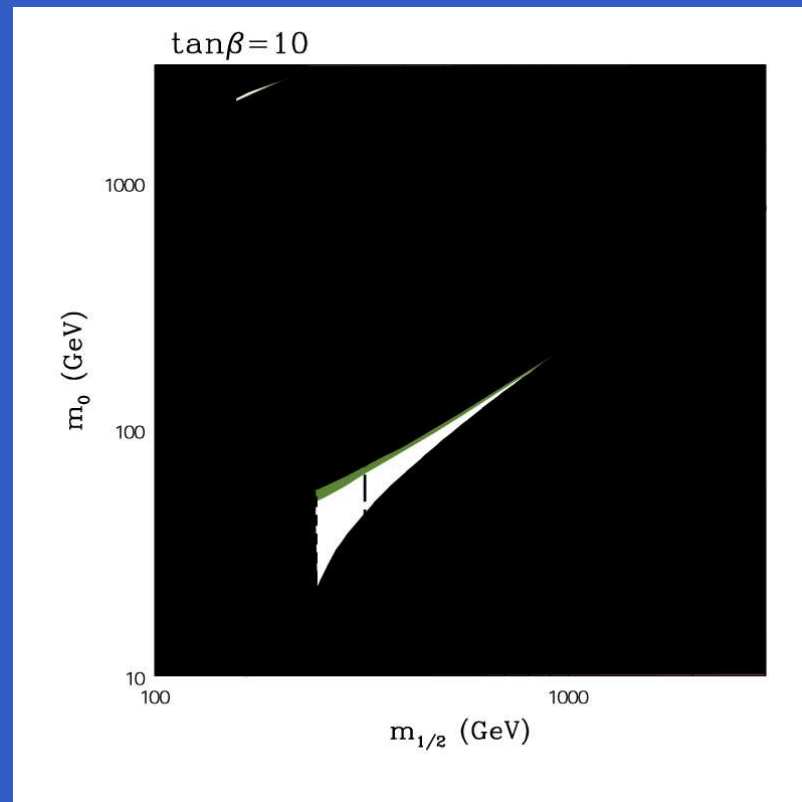


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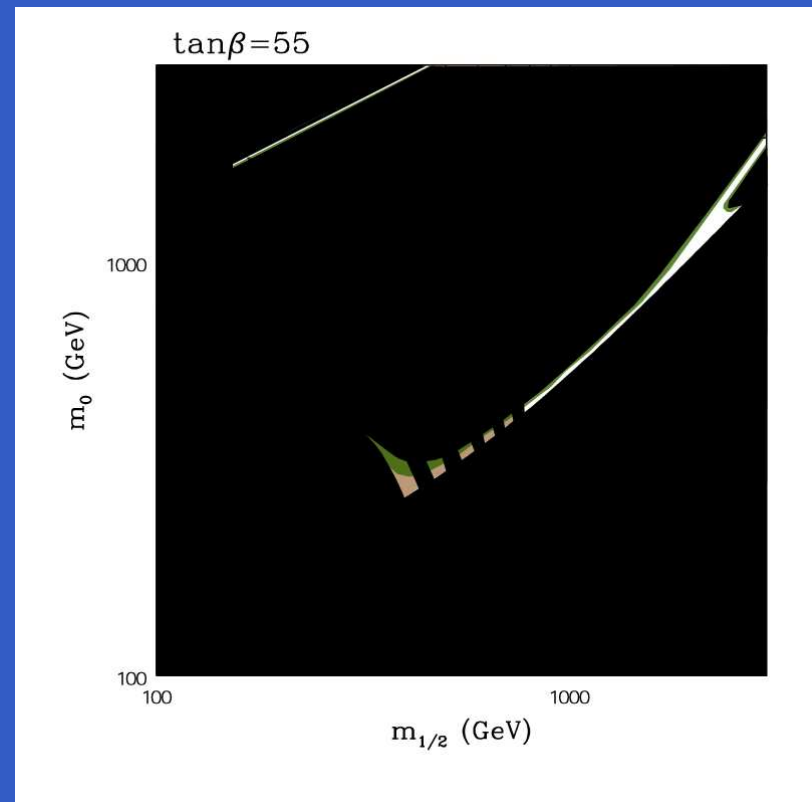


...left allowed

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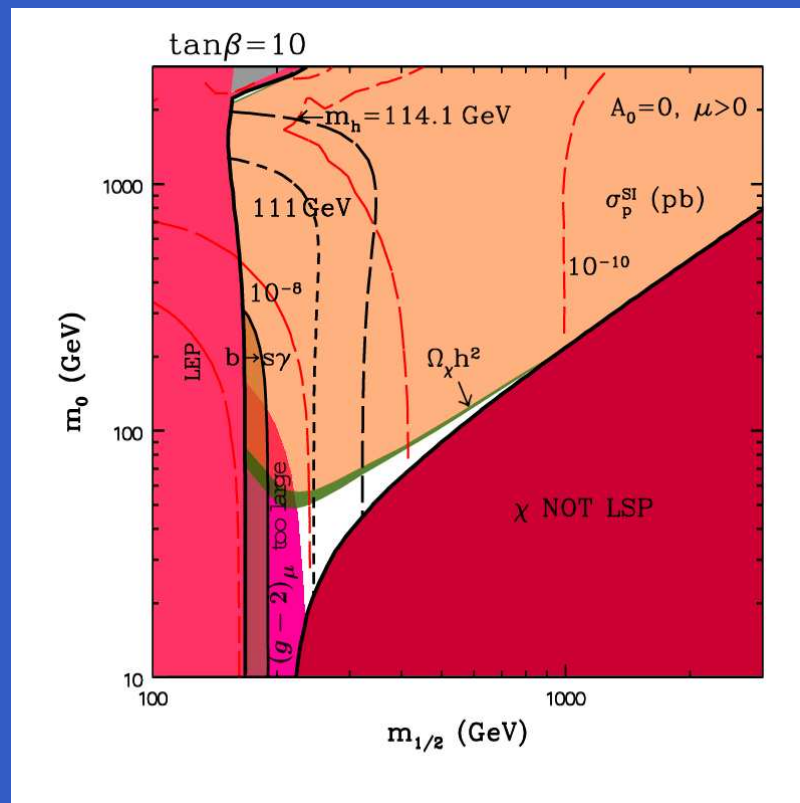


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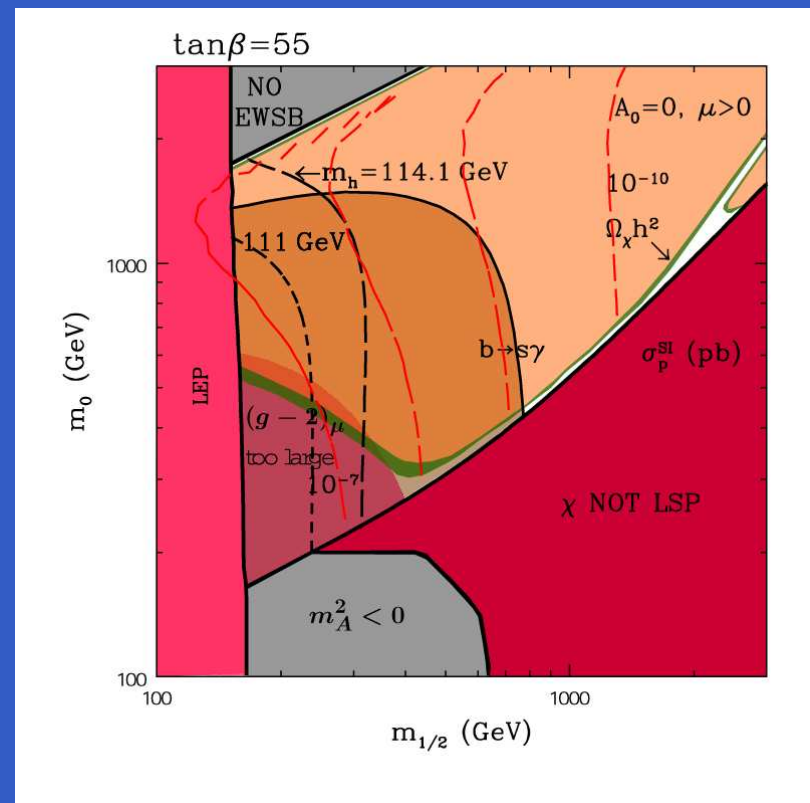


CMSSM: Implications for σ_p^{SI}

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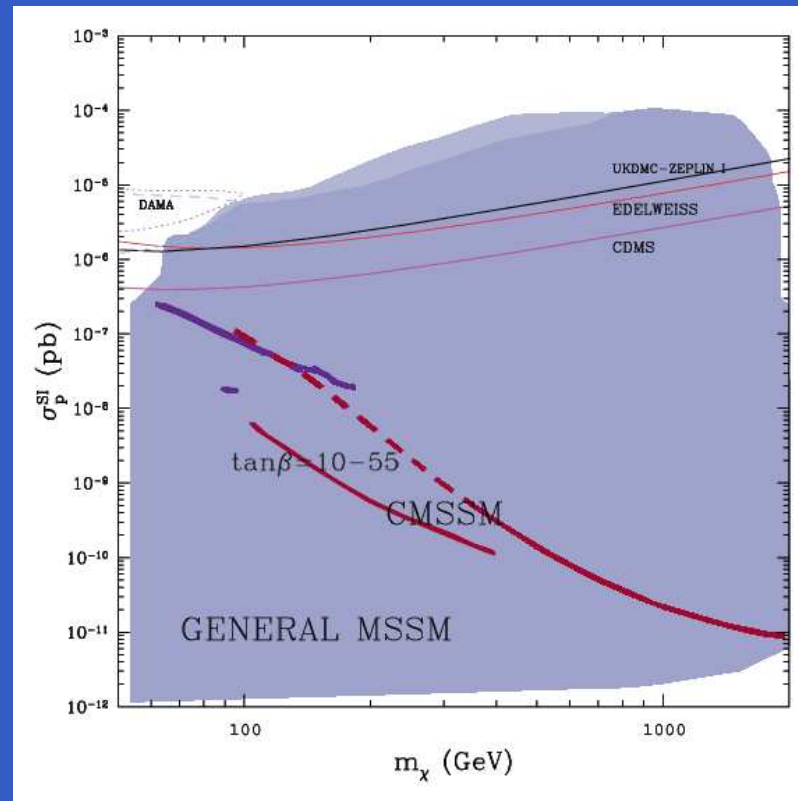


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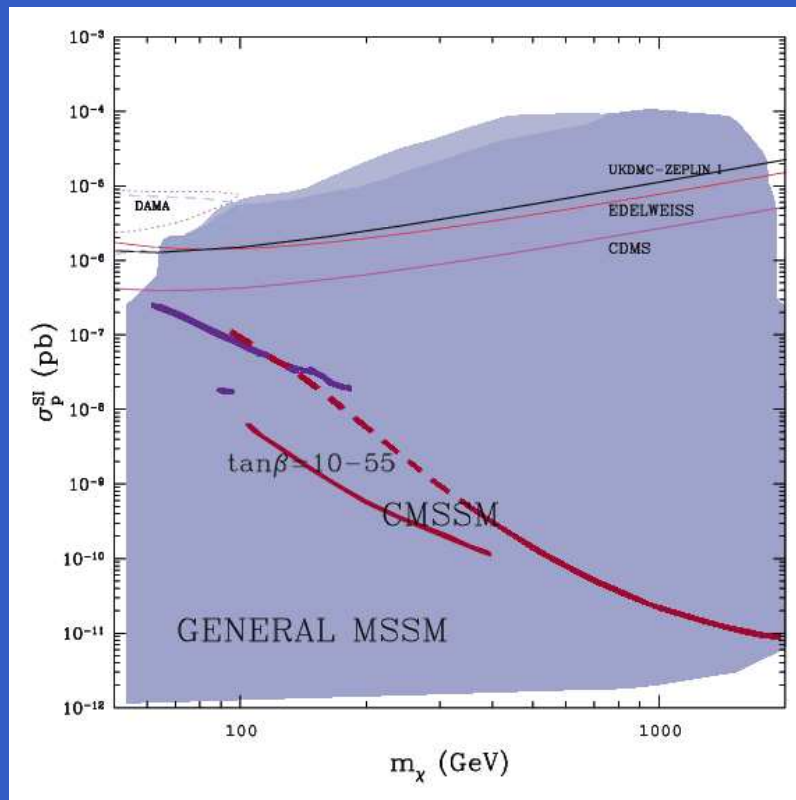
Implications for σ_p^{SI}

CMSSM, $\tan\beta = 10, 55$, $A_0 = 0$

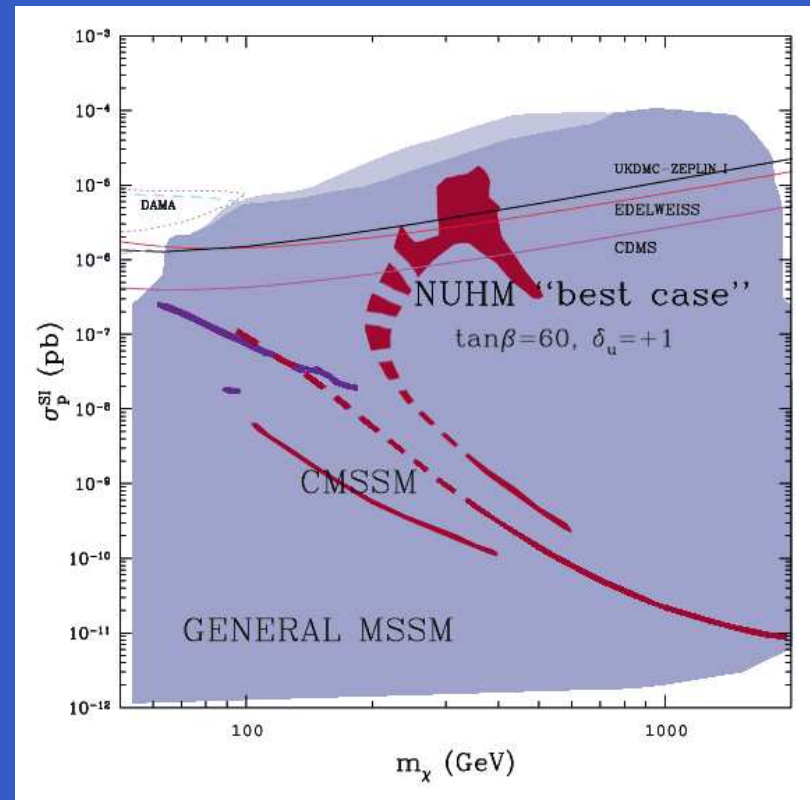


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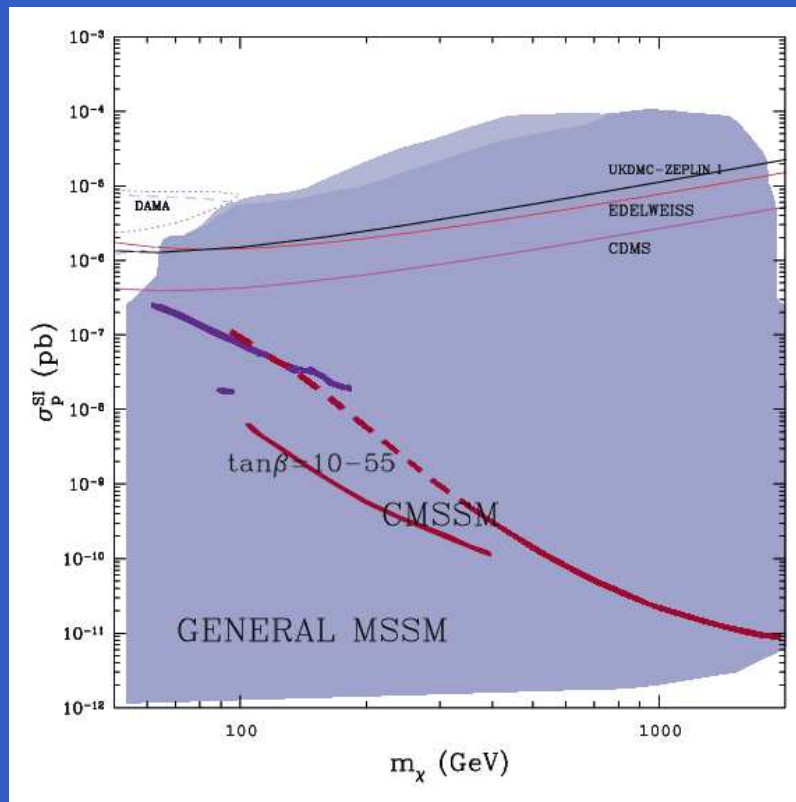
add NUHM, $\tan \beta = 60, \delta_u = +1$



$$\text{NUHM: } m_{H_{u,d}}^2 = m_0^2 (1 + \delta_{u,d})$$

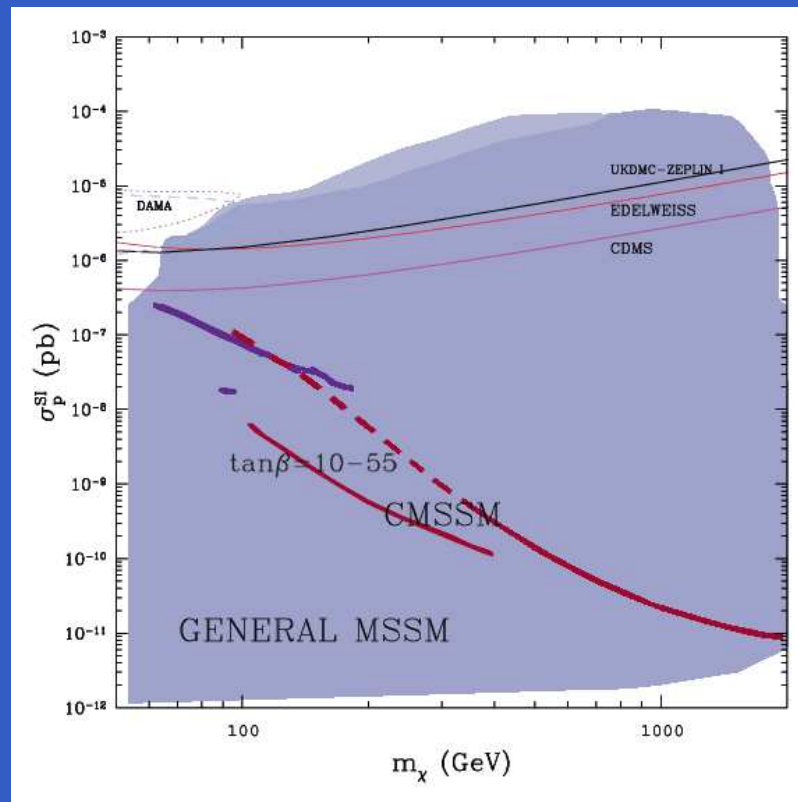
σ_p^{SI} vs. $BR(B_s \rightarrow \mu^+ \mu^-)$

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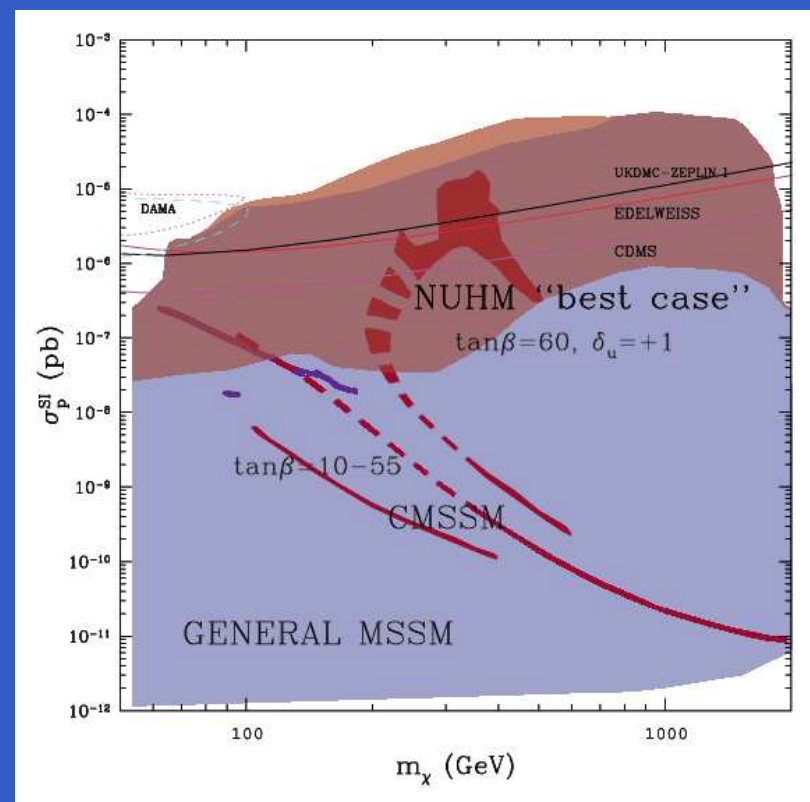


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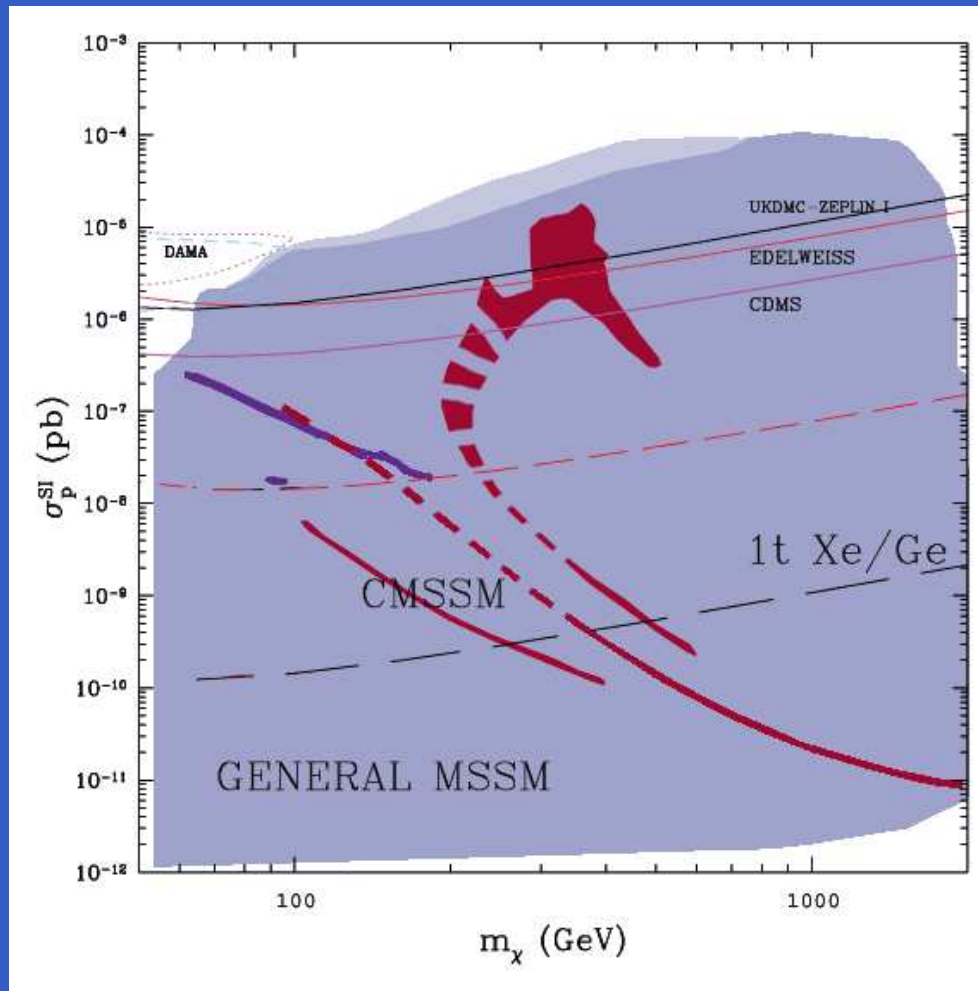
$BR(B_s \rightarrow \mu^+ \mu^-) < 5.0 \times 10^{-7}$



but $BR(B_s \rightarrow \mu^+ \mu^-)$ limit is flavor model-dependent, ...assume MFV

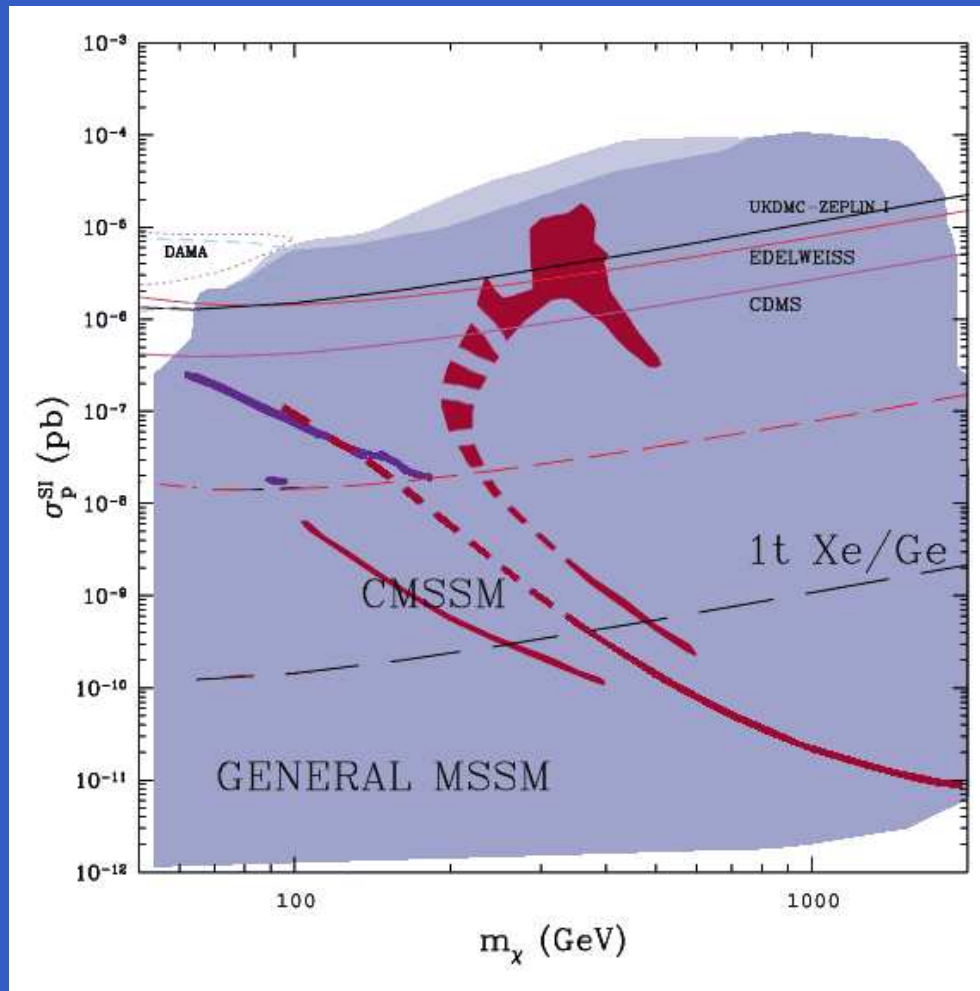
σ_p^{SI} & Future Searches

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upgrades: $\sigma_p^{SI} \lesssim 10^{-8}$ pb, “1 tonne Xe/Ge”: $\sigma_p^{SI} \lesssim 10^{-10}$ pb

σ_p^{SI} & Future Searches



once WIMP detected... ... can discriminate among SUSY breaking scenarios?

The CMSSM & Yukawa Unification

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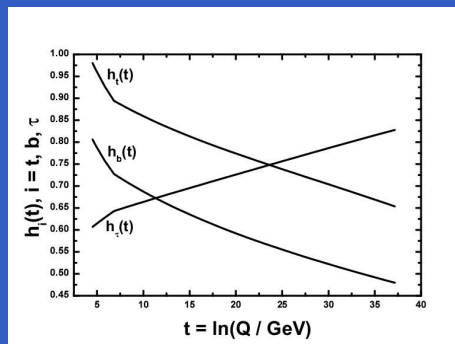
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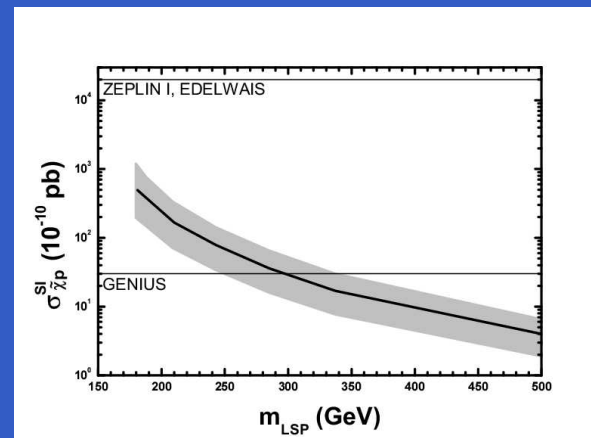
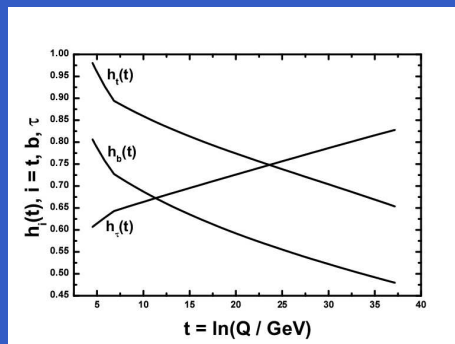
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Lazarides+Pallis '04



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 Lazarides+Pallis '04 ...and testable σ_p^{SI}



Minimal SUSY $SO(10)$ GUT Model

fully realistic GUT

Raby, et al.

- matter $16 \supset 10 + 5 + \bar{\nu}_s$
- Higgs
 $10_H \supset 5_H + 5 + \bar{5}_H \supset H_t, H_b$
- potential $W = \lambda 16 10_H 16$
- g. c. unification ✓

$$\epsilon_s = \frac{(\alpha_s(M_G) - \alpha_G)}{\alpha_G} \approx -4\%$$
- Y. c. unification ✓

large $\tilde{g} - \chi^-$ corr's to
 $\lambda_b \Rightarrow \tan \beta \sim 50$
- realistic fermion masses ✓
- proton decay ✓

- 11 input parameters

$$M_G, \alpha_G, \epsilon_s, \lambda, \mu, m_{1/2}, A_0, \tan \beta, \\ m_{16}, m_{10}, m_{H_{t,b}}^2 = \\ m_{10} (1 \mp \Delta m_H^2)$$

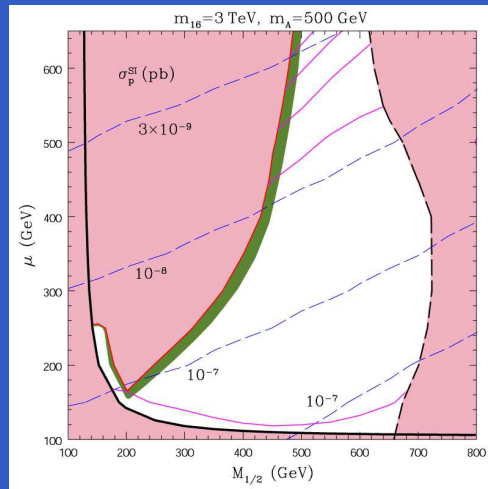
- 2-loop RGE's for gauge and Yukawa
- full 1-loop threshold corrections at both m_Z and M_G

- 1-loop RGE's for scalars
- EWSB with 1-loop corrections
- fit 9 observables

$$\alpha_{em}, G_\mu, \alpha_s(m_Z), m_Z, m_W, \\ \rho, M_\tau, M_t, m_b(m_b) = 4.20 \pm .20 \text{ GeV}$$

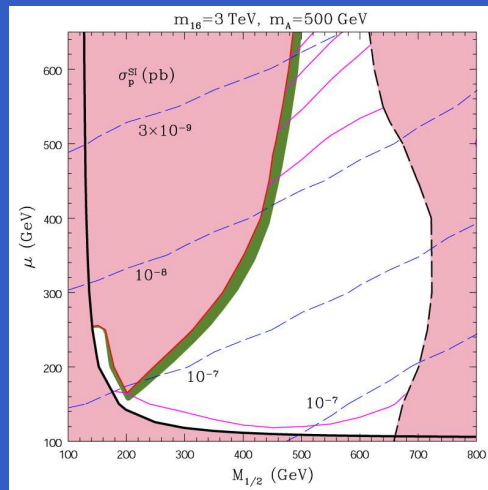
$SO(10)$: Implications for σ_p^{SI}

Dermíšek, Raby, Roszkowski, Ruiz de Austri (JHEP '03)



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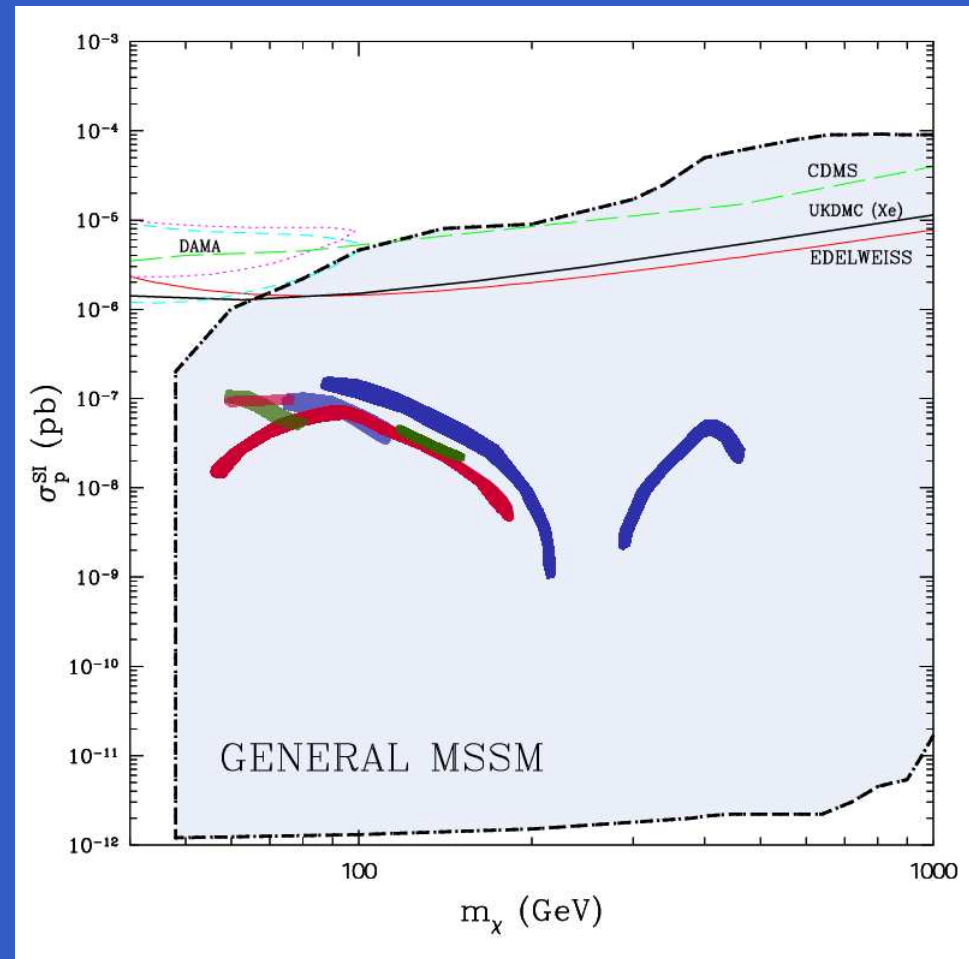
$m_{16} = 2.5$ TeV (green)

3 TeV (red)

5 TeV (blue)

$m_A = 300$ GeV (lighter)

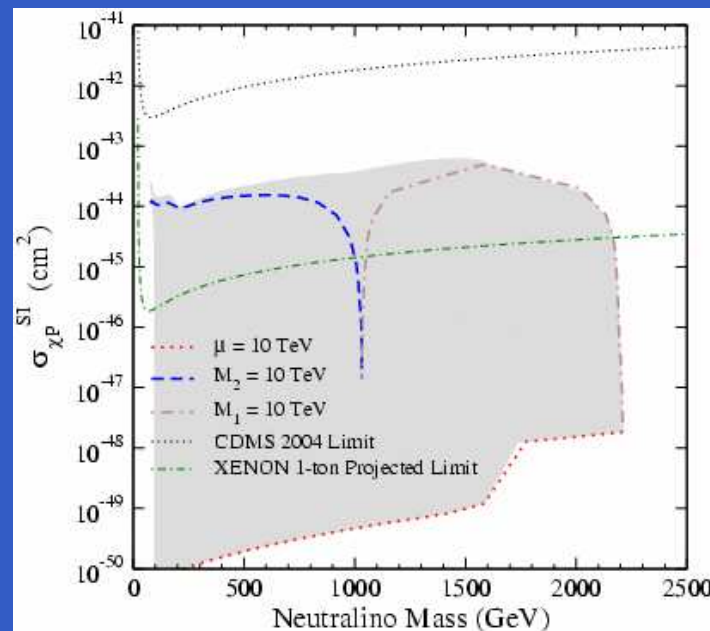
500 GeV (darker)



σ_p^{SI} In Split SUSY

Arkani-Hamed+Dimopoulos+Giudice+Romanino, '04: SUSY scalars VERY heavy

LSP DM: mixed gaugino–higgsino state



Masiero+Profumo+Ullio, hep-ph/0412058

testable...

A Consumption Chain...

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- observers:

cold, non-baryonic dark matter,
 $0.094 < \Omega_{\text{CDM}} h^2 < 0.129 \quad (2\sigma)$

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- theorists:

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- experimentalists:

take all this seriously (signal “within reach”)

How to Catch the WIMP?



Since the birth of time, mankind has searched everywhere for an answer to that age old question...

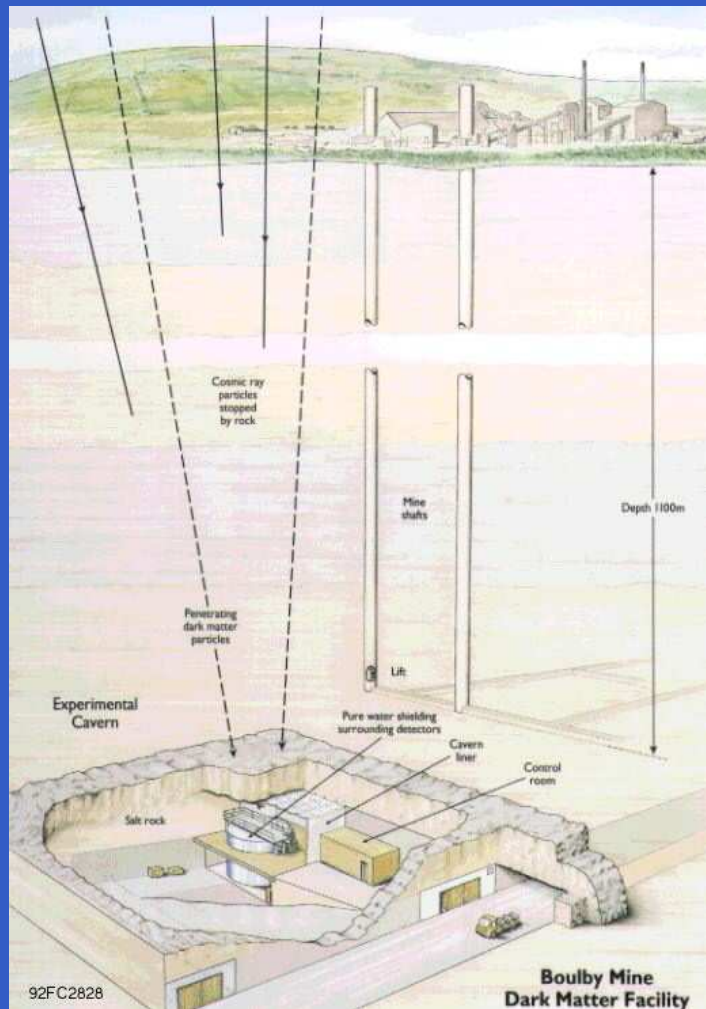
...go underground

Go underground/–ice/–water

...as deep as one can

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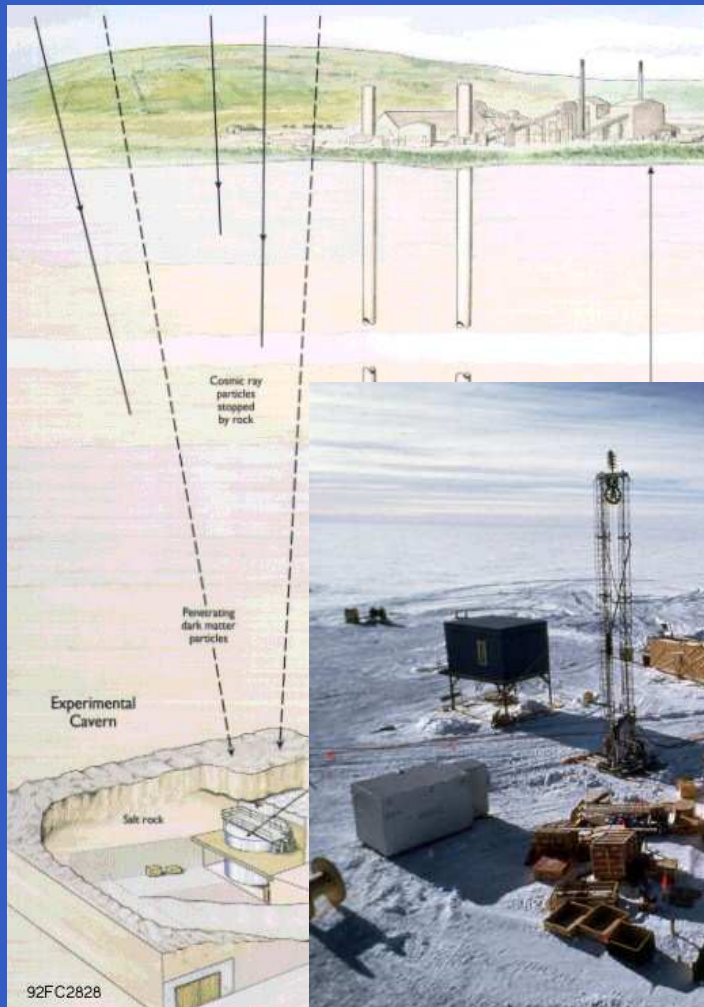
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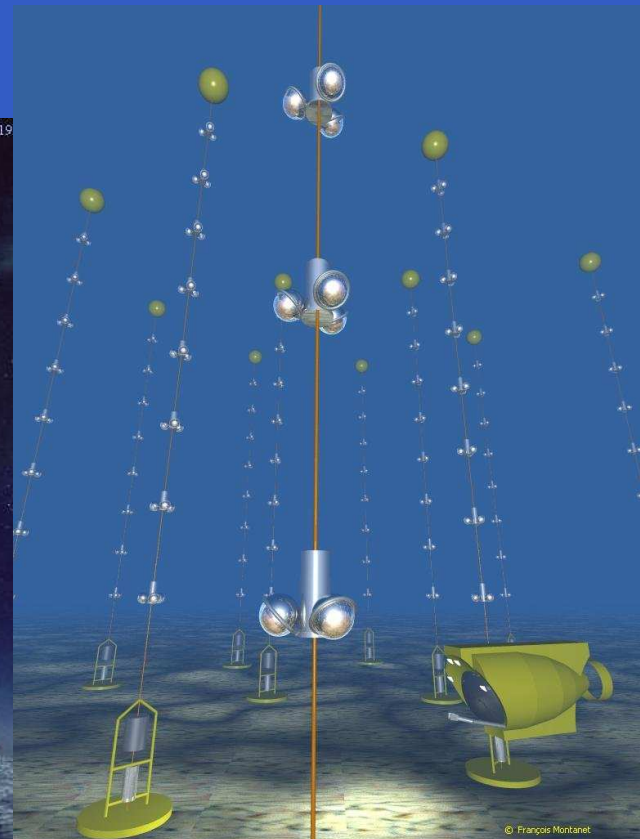
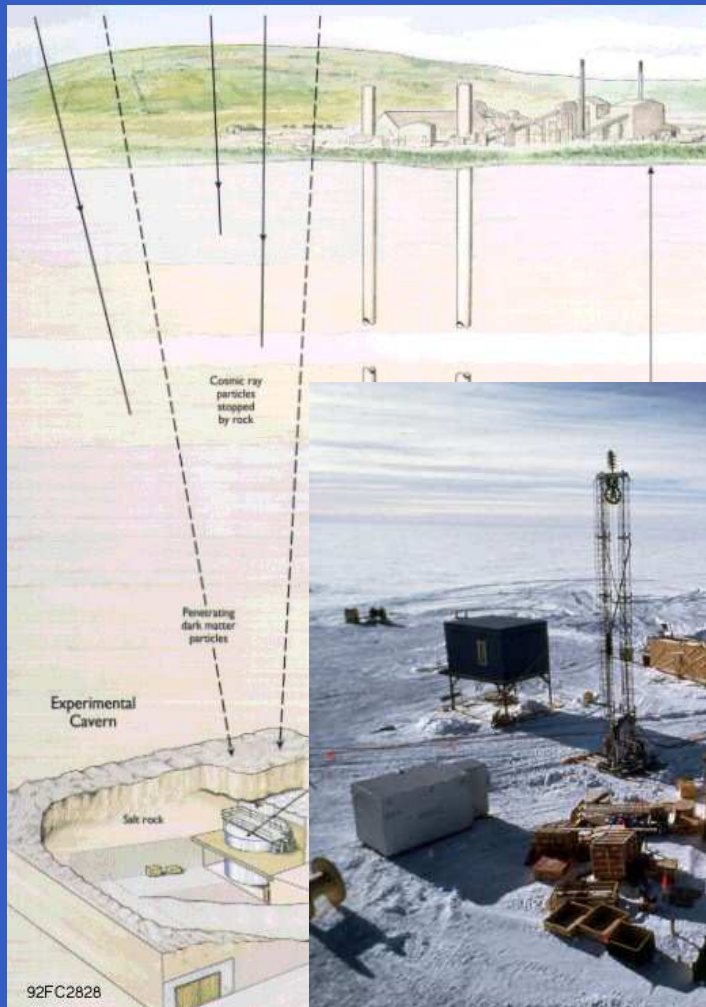
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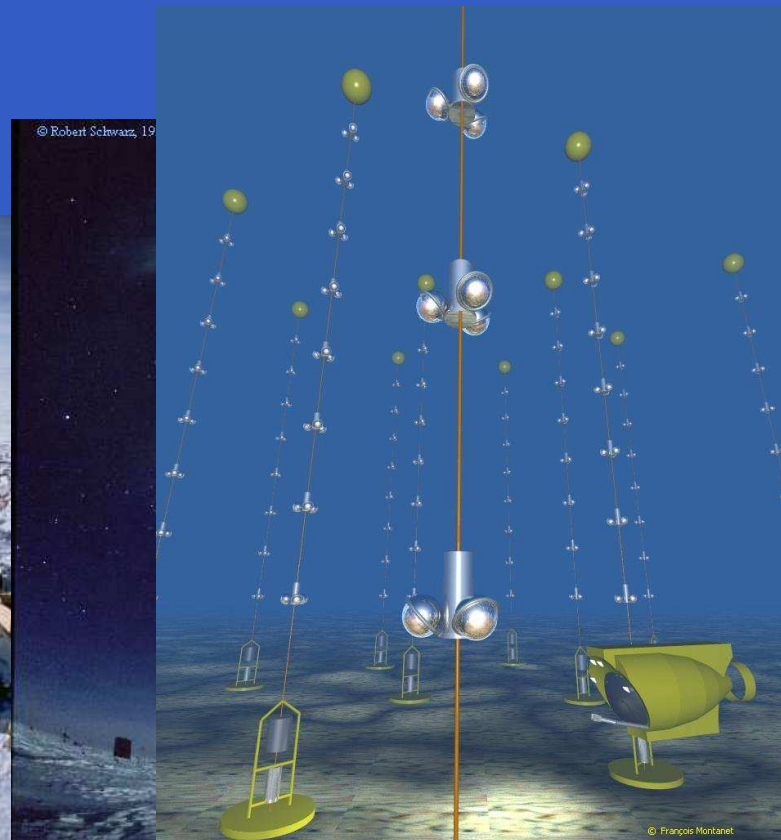
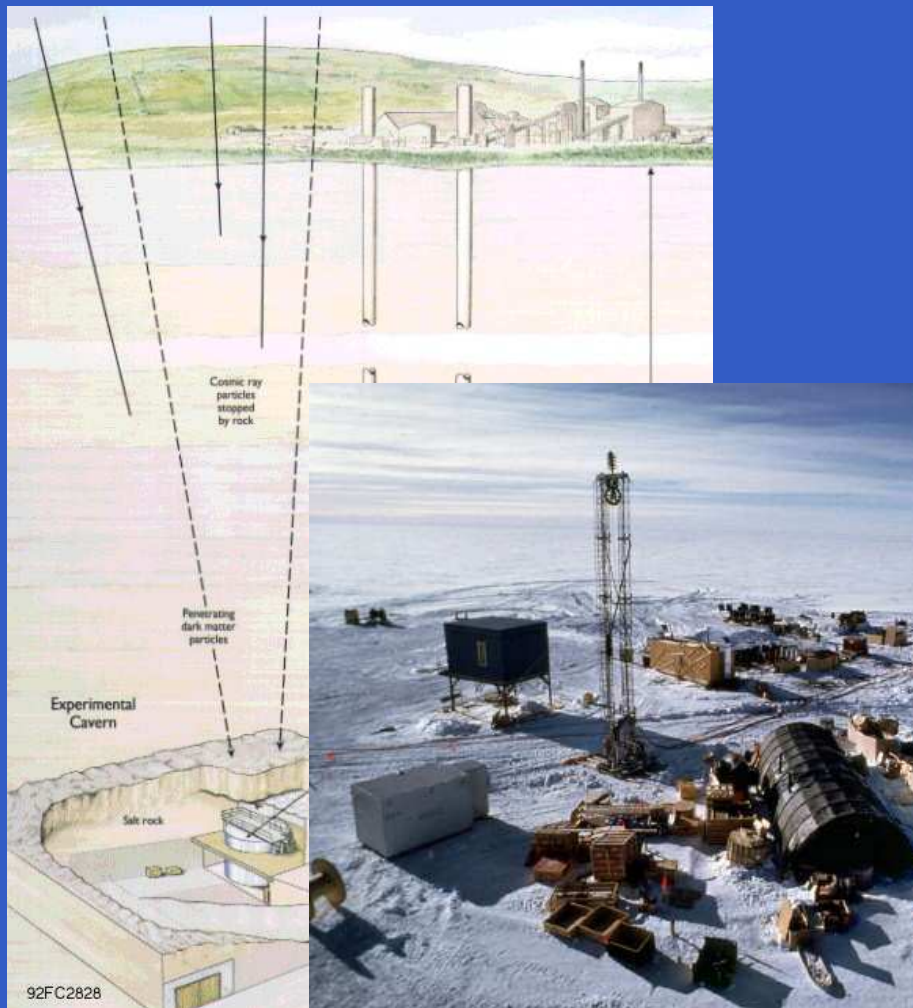
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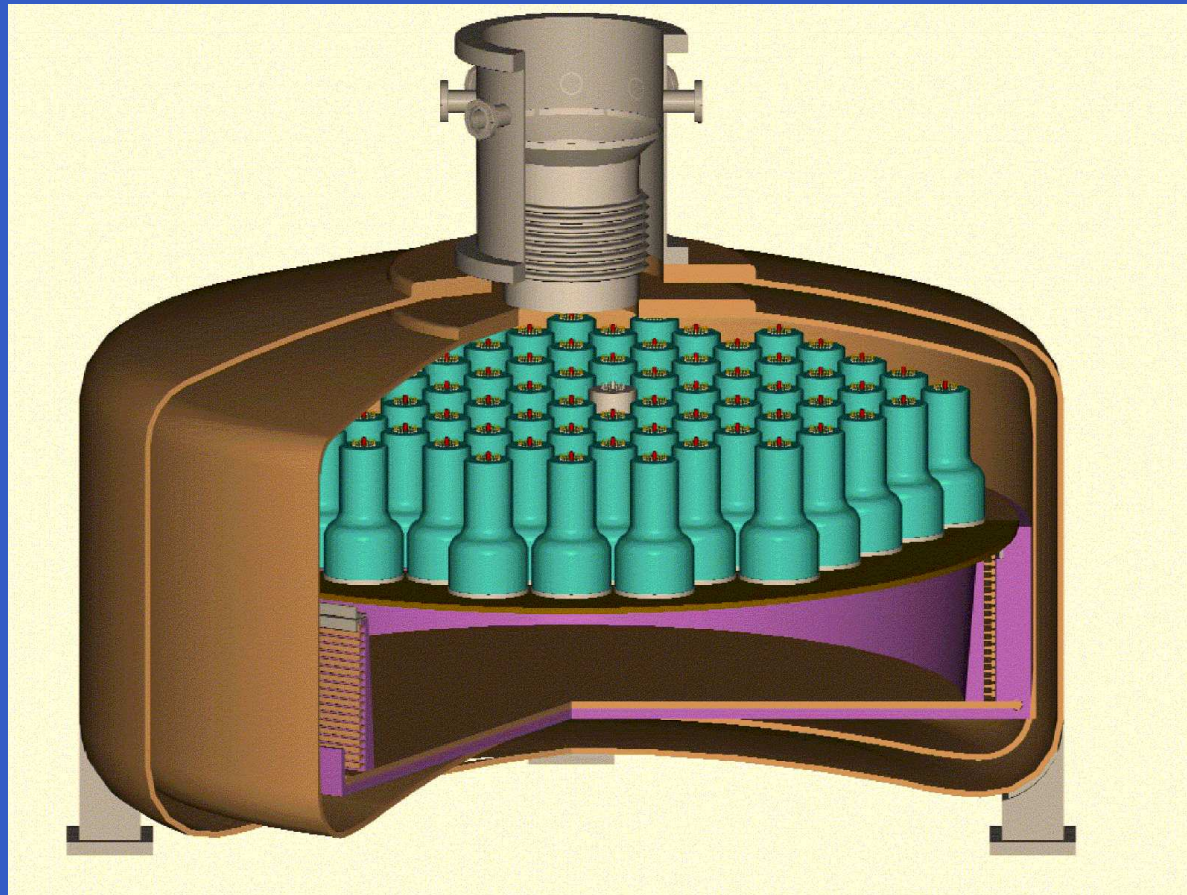


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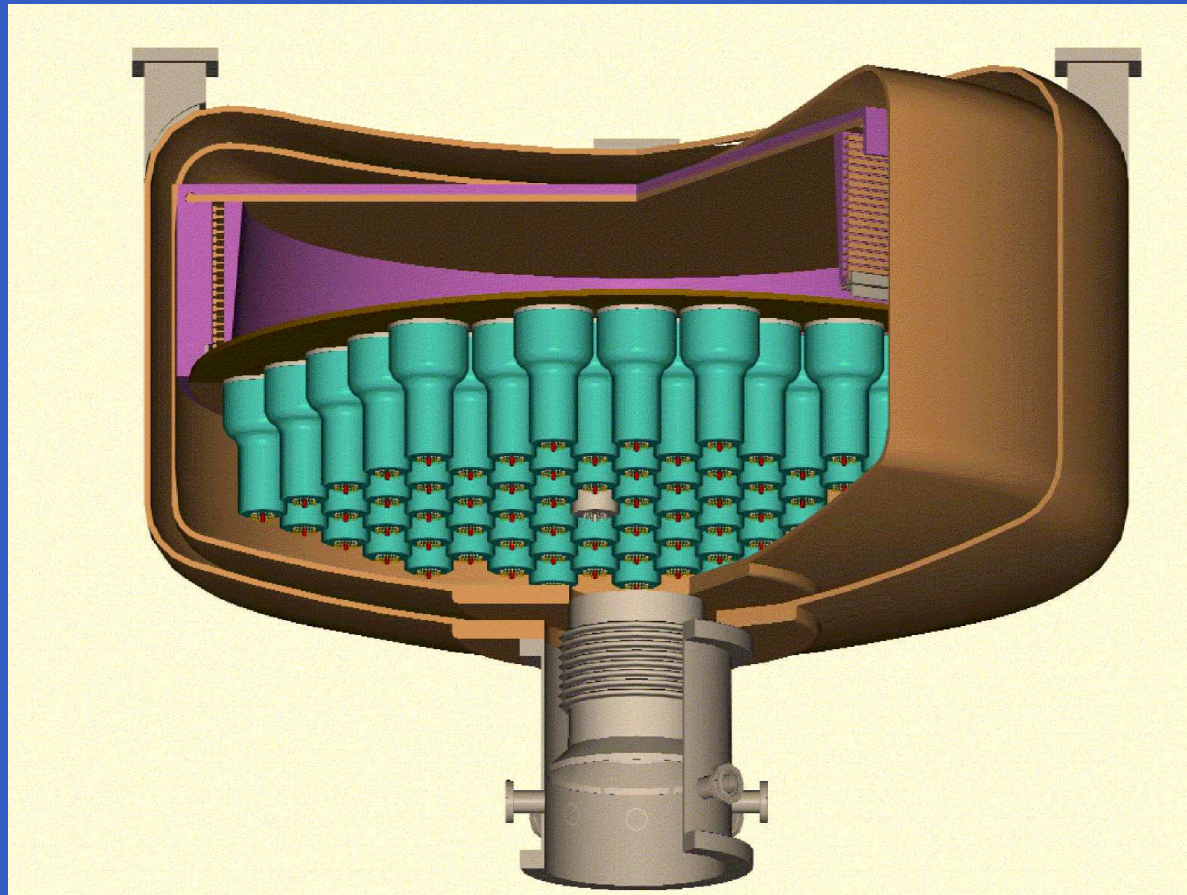
...as deep as one can
impressive experimental effort



Zeplin Detector



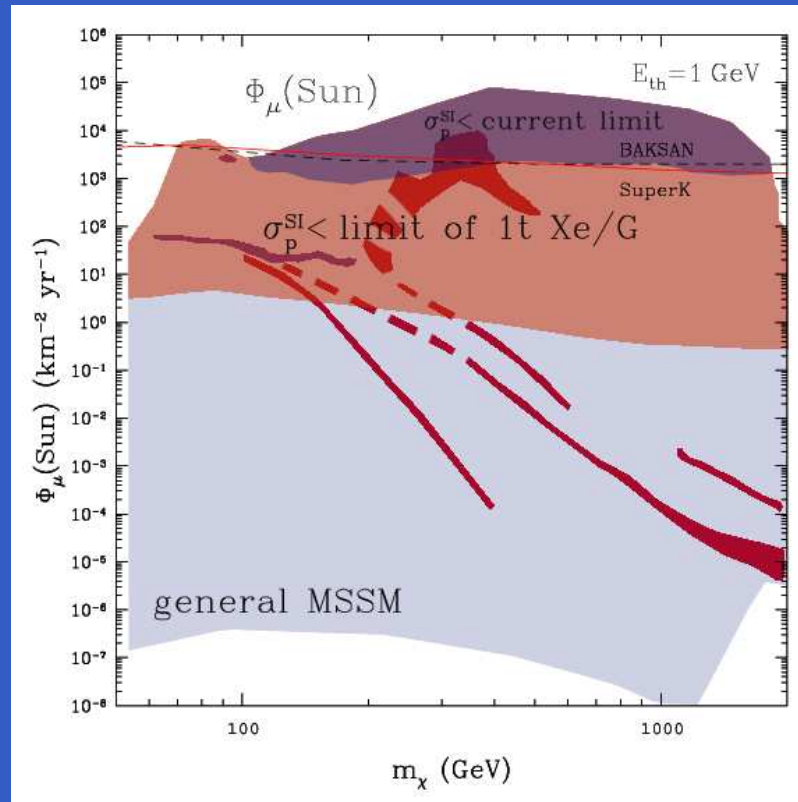
can this thing detect most mass in the Universe???



... or at least milk a cow???

Direct vs. Indirect Detection

...if $\sigma_p^{SI} \lesssim 10^{-10} \text{ pb}$



•

“Exotic” SUSY WIMPs: $\tilde{G}$ & $\tilde{a}$

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(assume usual gravity mediated SUSY breaking)

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	axino	gravitino
spin	1/2	3/2
interaction	$\sim 1/f_a^2$	$\sim 1/M_{\text{P}}^2$
mass	$\not\propto M_{\text{SUSY}}$	$\propto M_{\text{SUSY}}$

mass model dependent

treat it as a free parameter

$f_a \sim 10^9 - 10^{12}$ GeV – PQ scale

$M_{\text{P}} = 2.4 \times 10^{18}$ GeV – reduced Planck mass

$M_{\text{SUSY}} \sim 100$ GeV – 1 TeV – soft SUSY mass scale

Recent activity...

axino – work with:

- L. Covi, J.E. Kim, PRL'99 (hep-ph/9905212);
- L. Covi, H.-B. Kim, J.E. Kim, JHEP'01 (hep-ph/0101009);
- L. Covi, M. Small, JHEP'02 (hep-ph/0206119);
- L. Covi, R. Ruiz de Austri, M. Small, JHEP'04 (hep-ph/0402240)

related recent work:

- H.-B. Kim, J.E. Kim, hep-ph/0108101
- D. Hooper, L.-T. Wang, hep-ph/0402220
- A. Brandenburg, F.D. Steffen, hep-ph/0406021
- ...

gravitino – work with:

- R. Ruiz de Austri, hep-ph/0408227

related recent work:

- al et Buchmüller (BBP, '98, BBB '00)
- Feng et al, '02-'04
- Ellis et al. (EOSS), Dec 03
- ...

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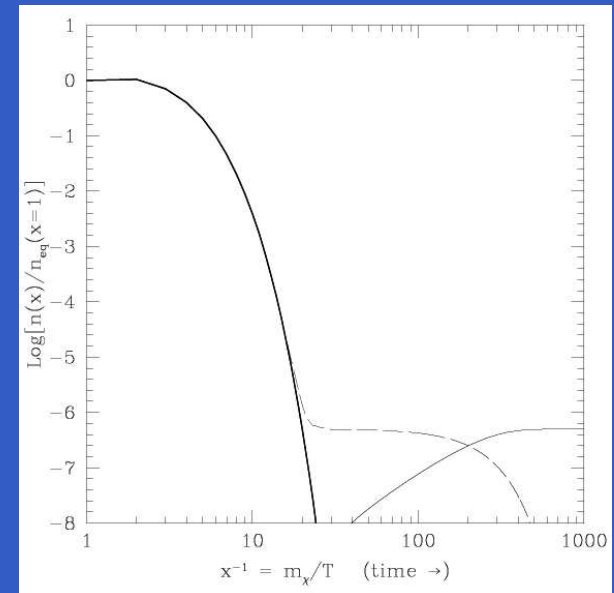
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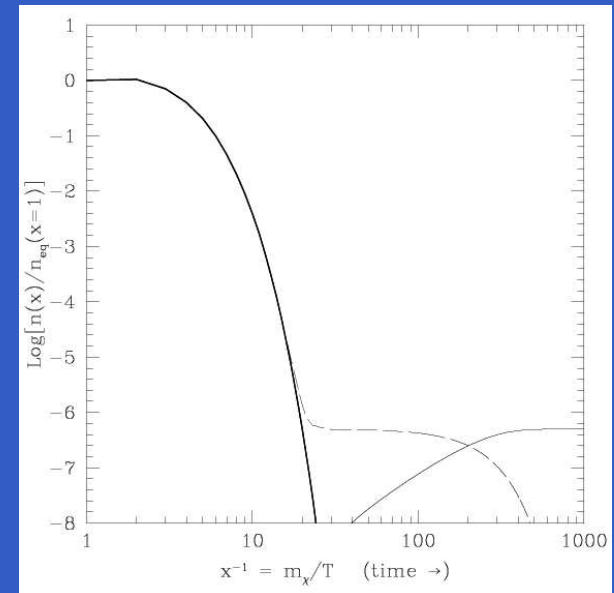
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$$\tau(\chi \rightarrow \tilde{a} \gamma) \simeq 0.3 \text{ sec} \left(\frac{100 \text{ GeV}}{m_\chi} \right)^3 \dots$$

$(\chi \simeq \tilde{B})$



...before BBN

Axino WIMP

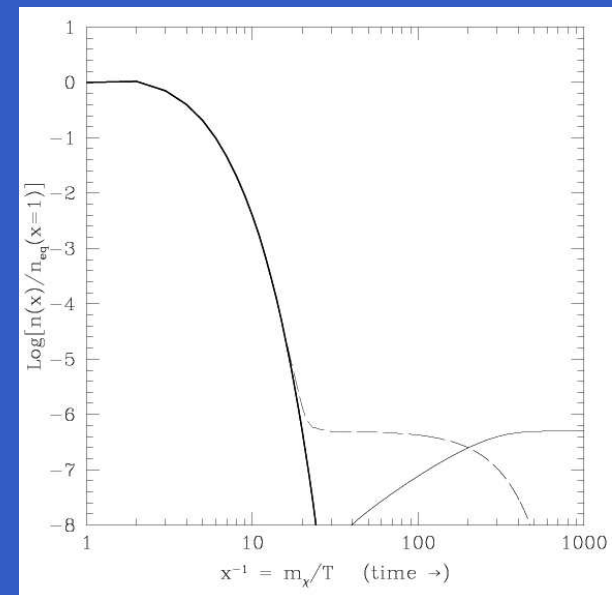
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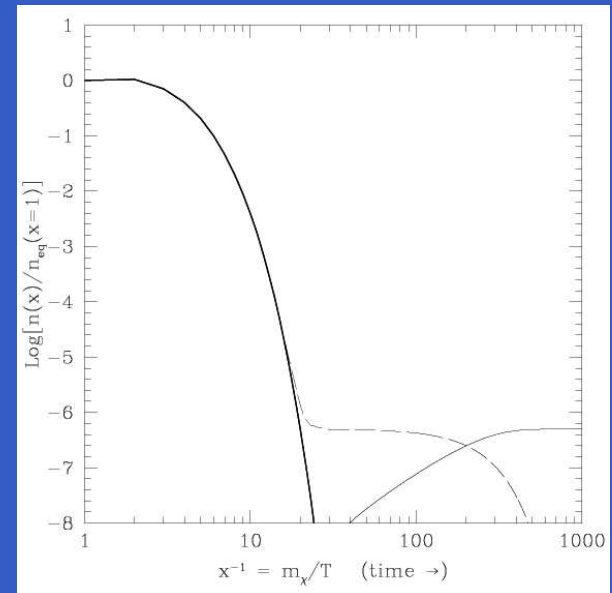
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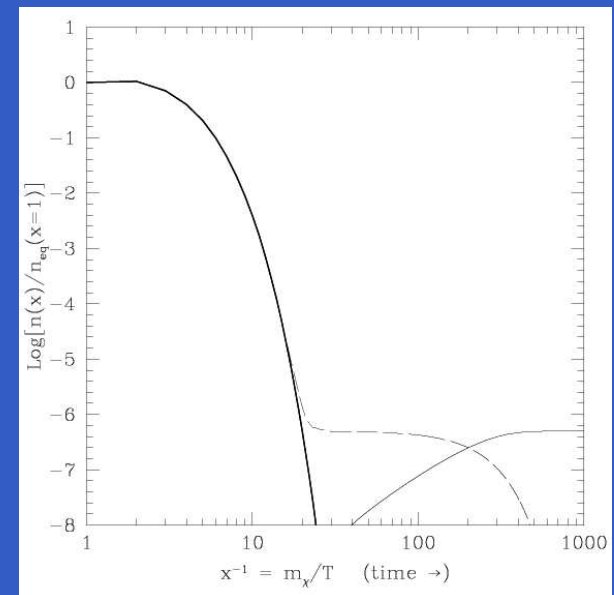
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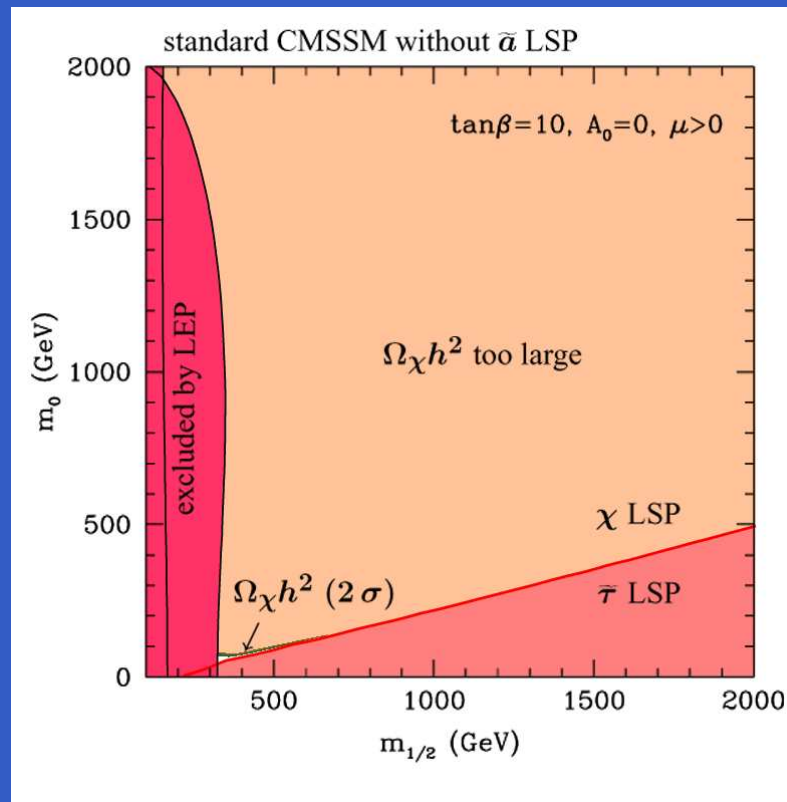
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Very different cosmological picture

Covi, LR, Ruiz de Austri, Small, JHEP'04 (hep-ph/0402240)

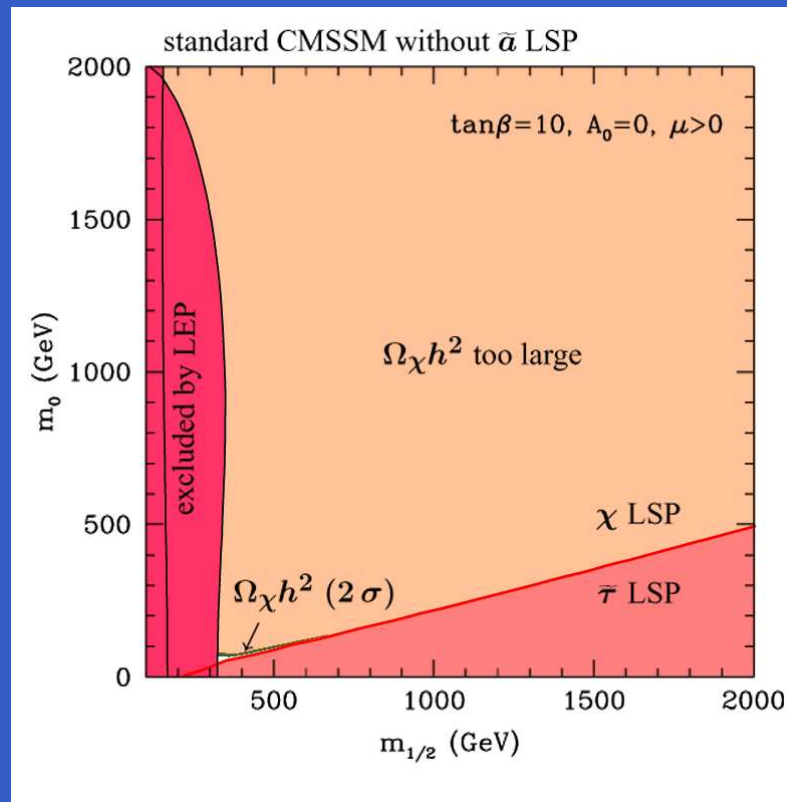
CMSSM, $\tan \beta = 10$, $A_0 = 0$



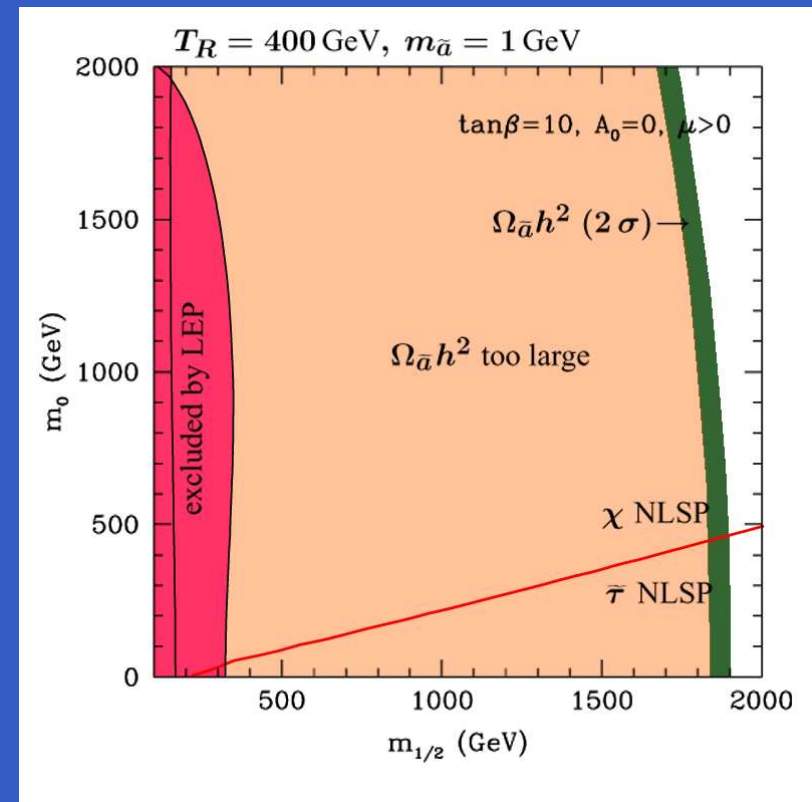
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CMSSM, $\tan \beta = 10$, $A_0 = 0$



$\tilde{a}$ LSP, $m_{\tilde{a}} \simeq m_\chi$, $T_R = 400$ GeV, TP



SUSY could be heavy, LSP (NLSP) could be charged, ...

Gravitino WIMP in the CMSSM

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(analogous to $\tilde{a}$ LSP)

LR+Ruiz de Austri,
hep-ph/0408227

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Feng, et al. (FST 02-04), MSSM

Ellis, et al. (EOSS 03), CMSSM

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Bolz+Brandenburg+Buchmüller ('00)

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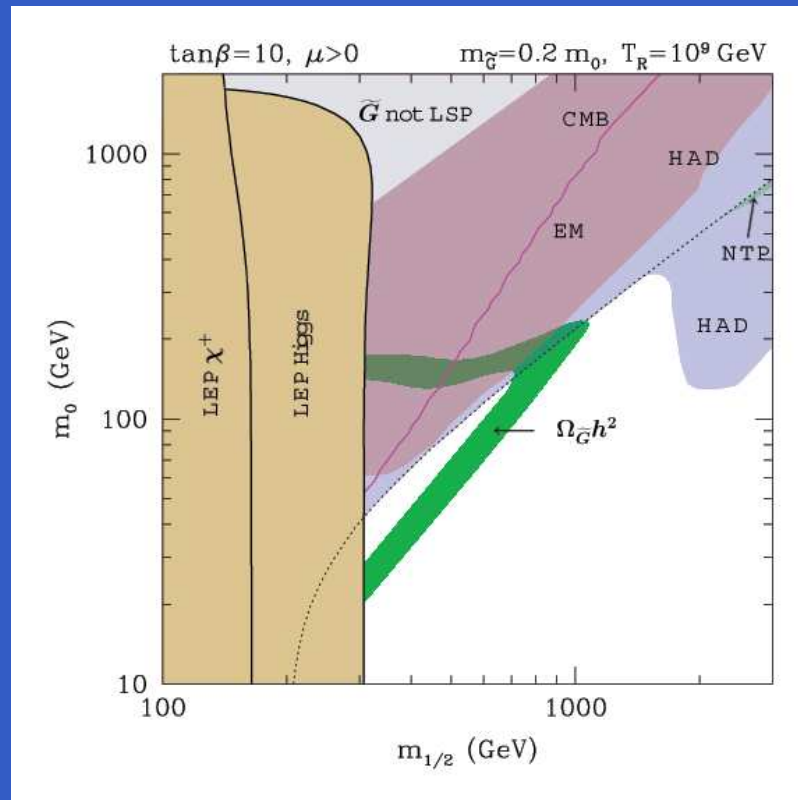
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Bolz+Brandenburg+Buchmüller ('00)

At high $T_R \gtrsim 10^9 \text{ GeV}$ TP is important

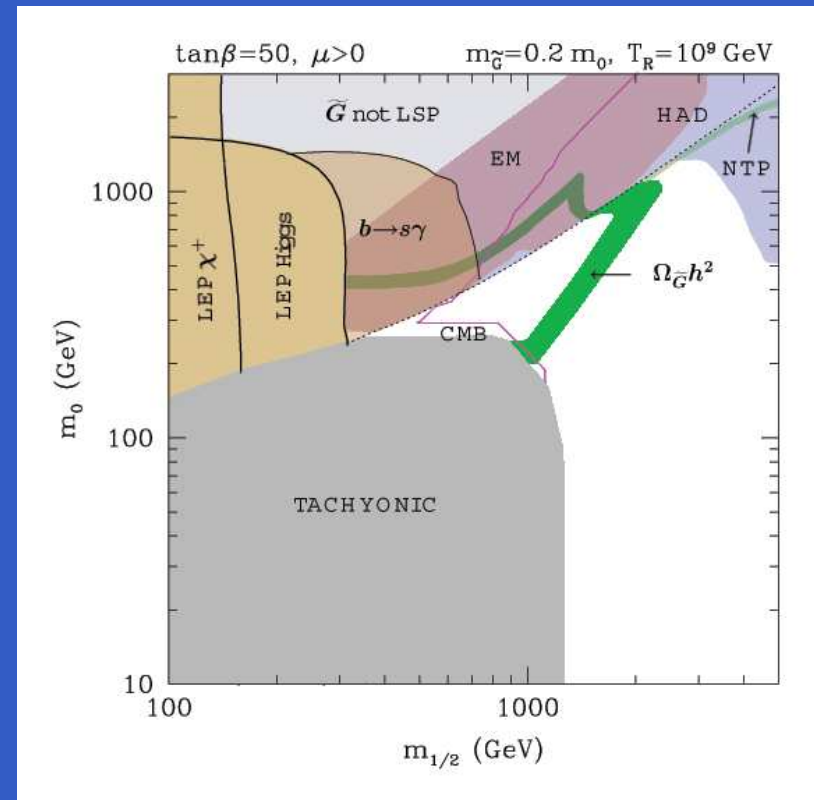
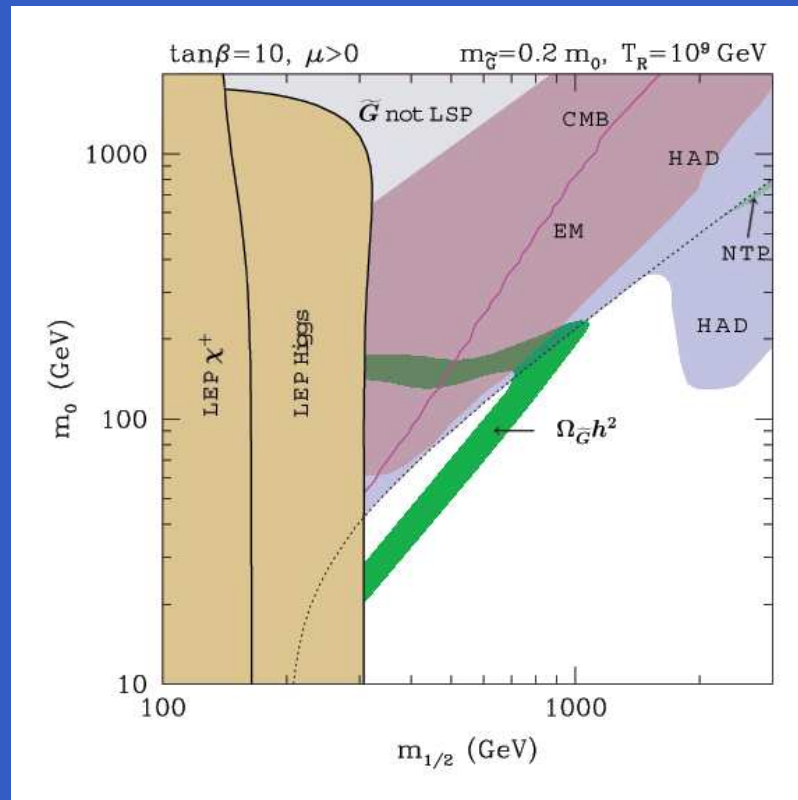
Results, $m_{\tilde{G}} = 0.2m_0$

LR+Ruiz de Austri, hep-ph/0408227



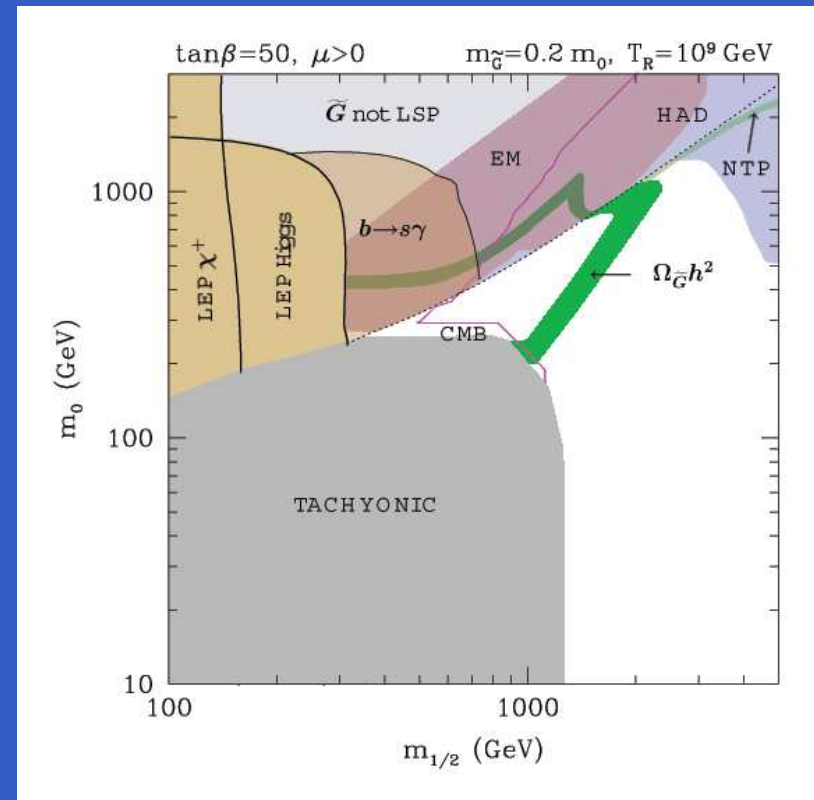
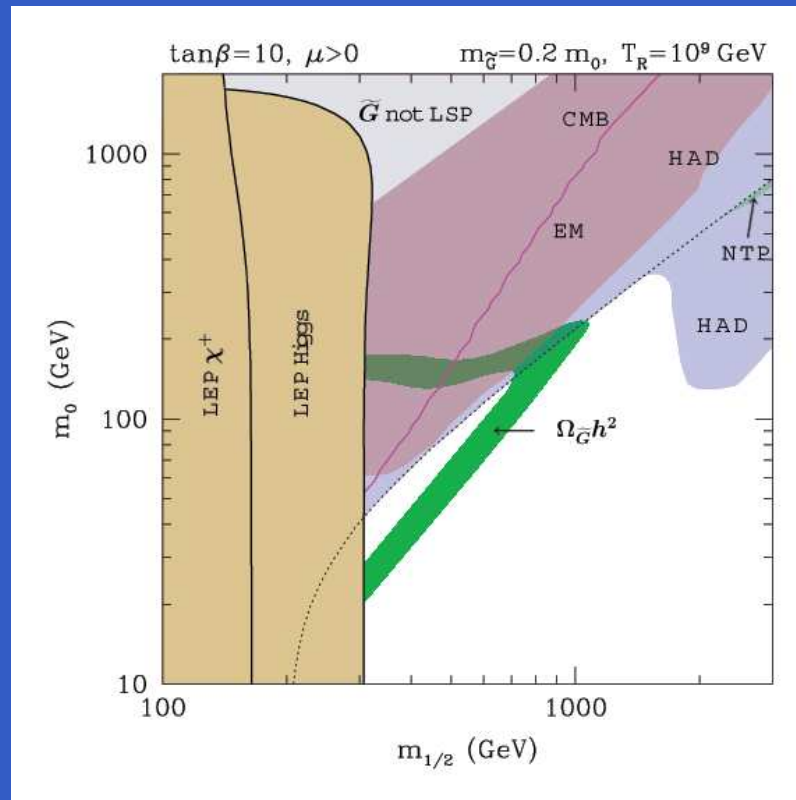
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LR+Ruiz de Austri, hep-ph/0408227



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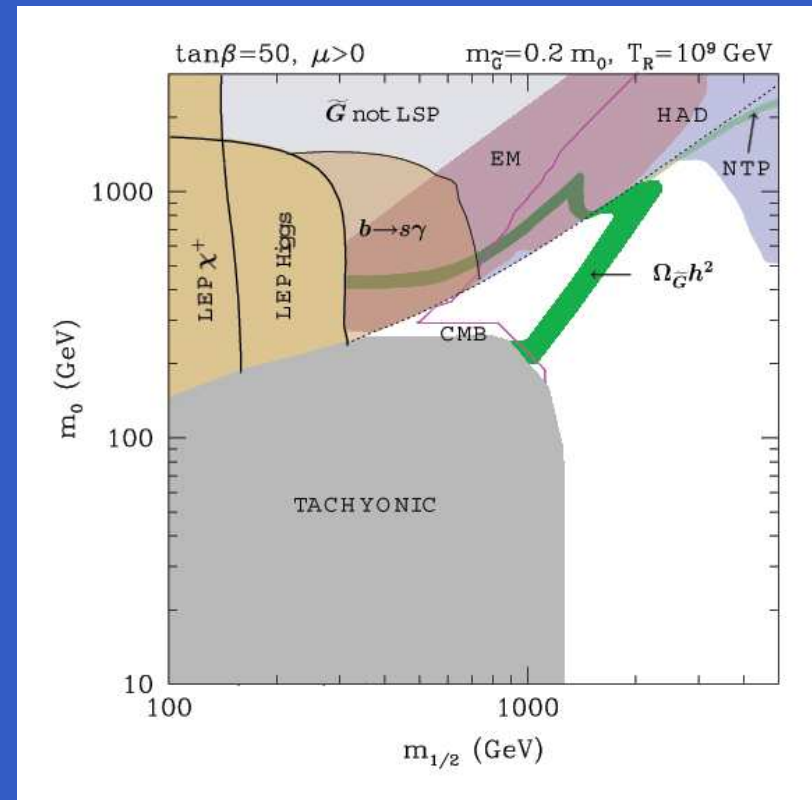
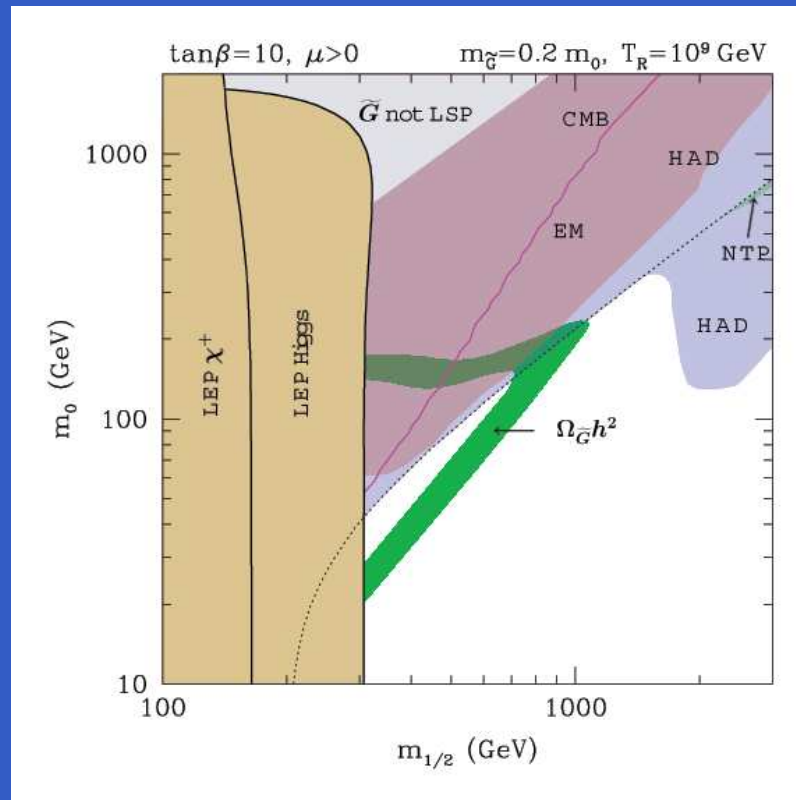
LR+Ruiz de Austri, hep-ph/0408227



$$m_\chi \simeq 0.4m_{1/2}, \quad m_{\tilde{\tau}_1} \simeq \sqrt{0.15m_{1/2}^2 + m_0^2}, \quad m_{\tilde{g}} \simeq 2.7m_{1/2}$$

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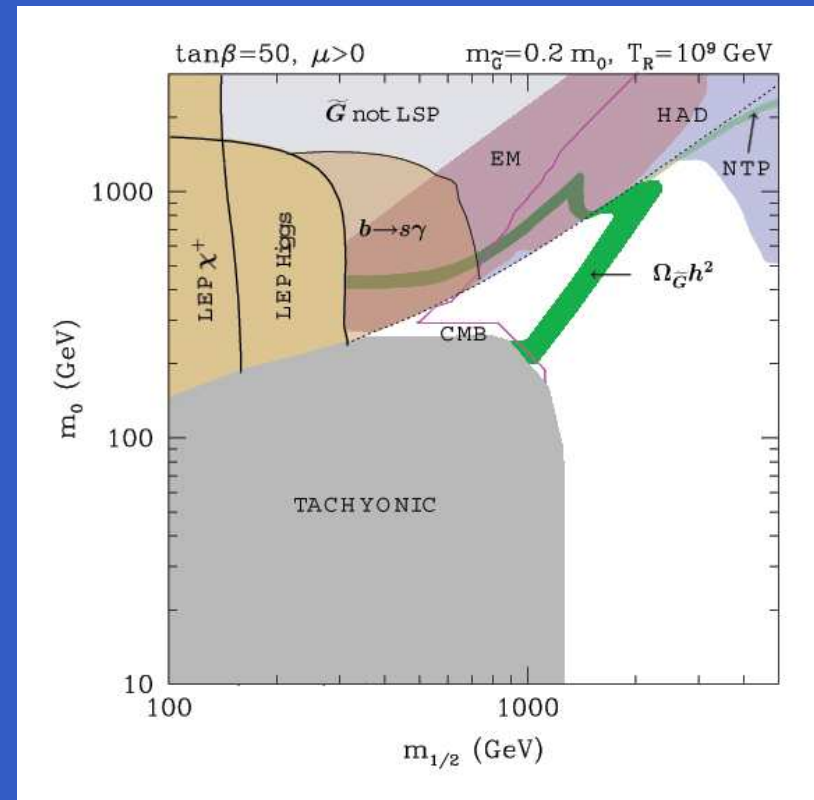
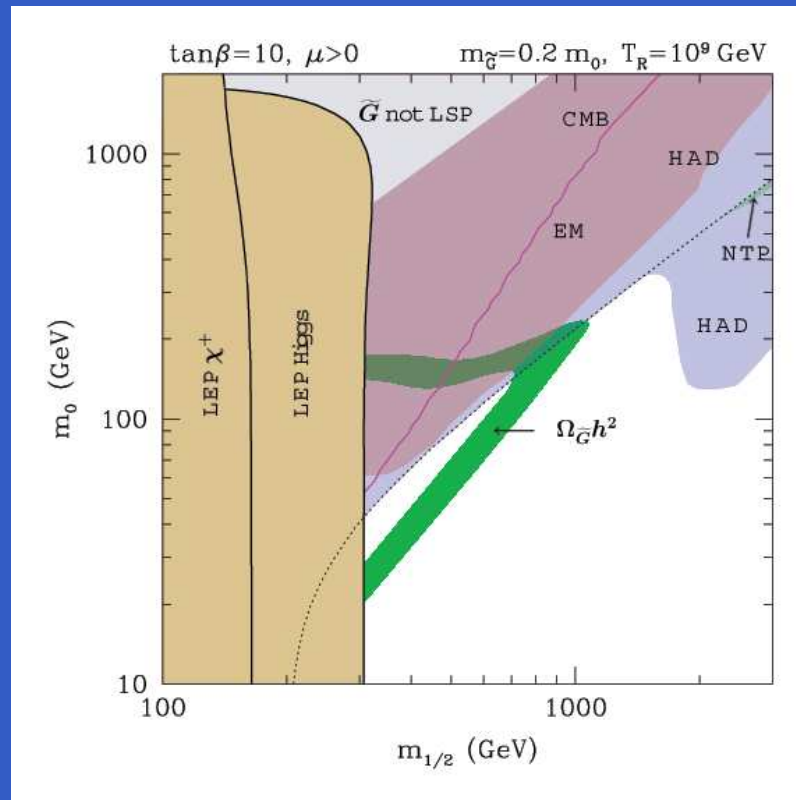


LHC: charged “stable” NLSP ($\tilde{\tau}_1$)

LHC will reach $\sim 1 \text{ TeV} \Rightarrow m_{1/2} \lesssim 2.5 \text{ TeV} (?)$

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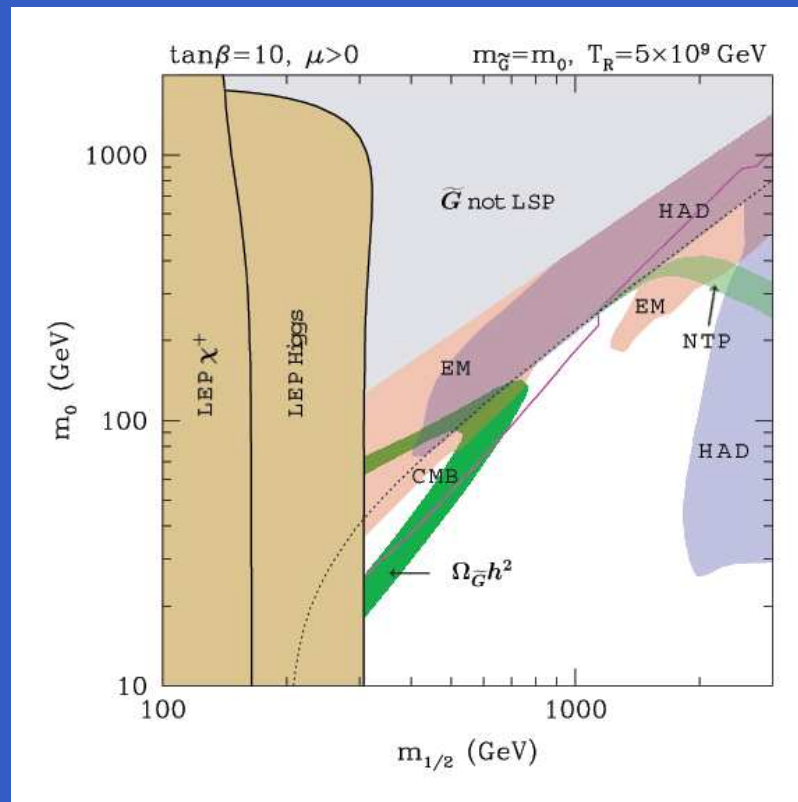


LHC will probe $m_{1/2} \lesssim 1$ TeV ($m_{\tilde{g}} \lesssim 2.7$ TeV in $\tilde{g}$ searches), $\tilde{q}$'s lighter than the $\tilde{g}$

Bound $T_R \lesssim 5 \times 10^9 \text{ GeV}$

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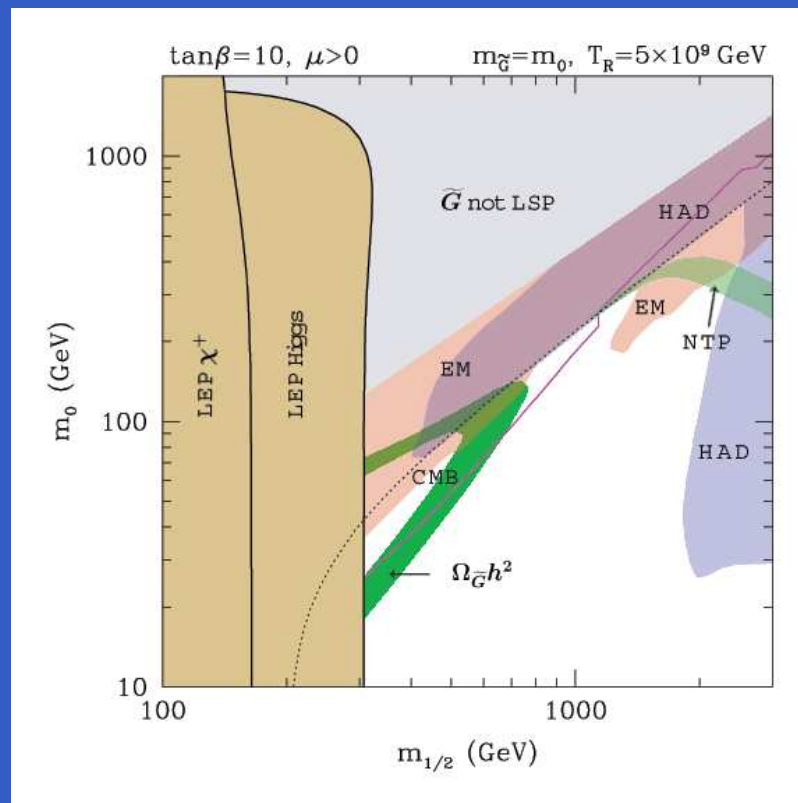
$$m_{\tilde{G}} = 0.2m_0, T_R = 5 \times 10^9 \text{ GeV}$$



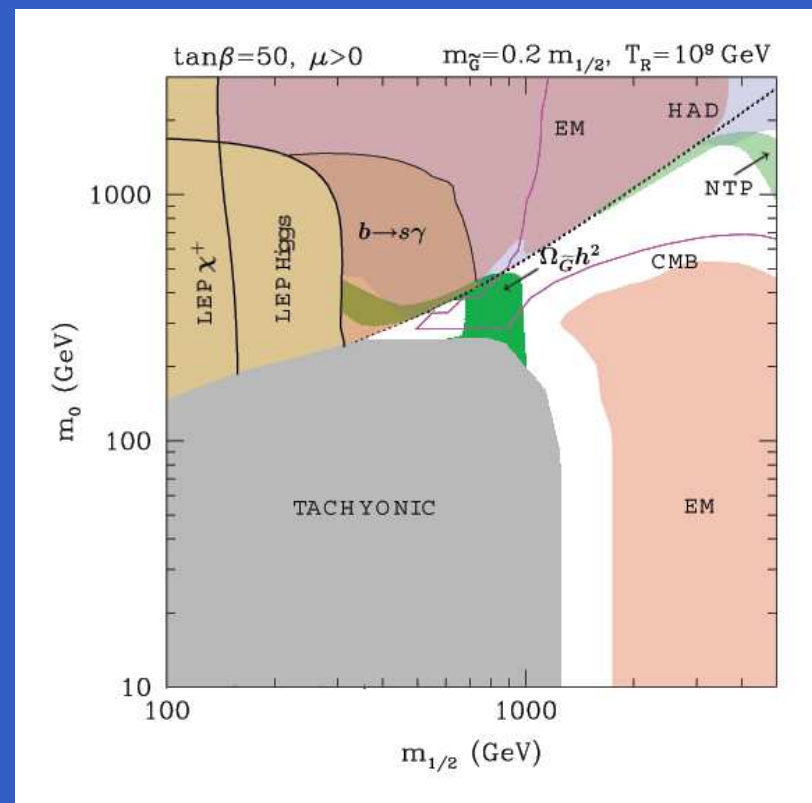
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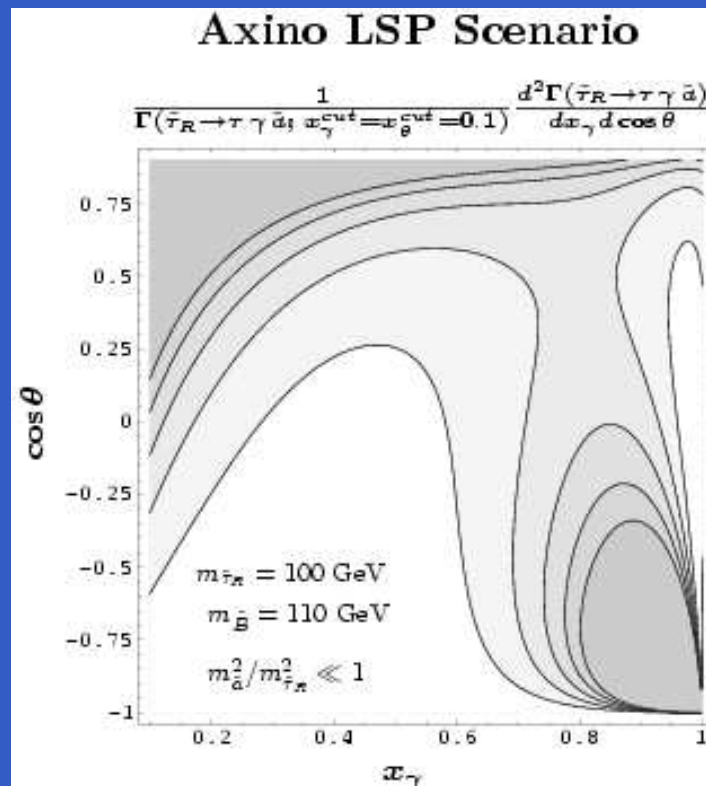


thermal leptogenesis of Fukugida–Yanagida: $T_R \gtrsim 2 - 5 \times 10^9 \text{ GeV}$

$\tilde{a}$?, $\tilde{G}$?, Will we ever know?

LHC?

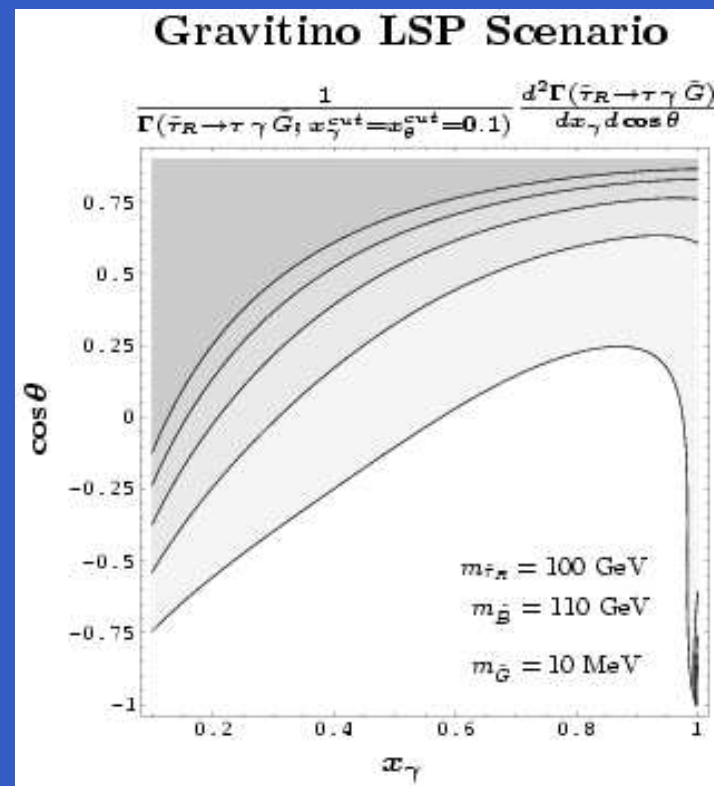
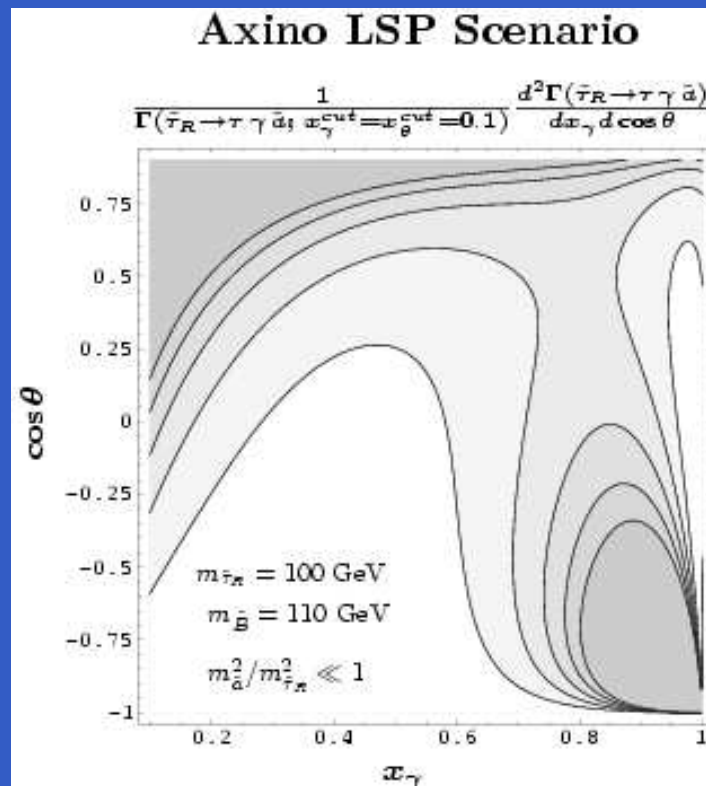
Brandenburg+Covi+Hamaguchi+L.R.+Steffen, hep-ph/0501287



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Brandenburg+Covi+Hamaguchi+L.R.+Steffen, hep-ph/0501287



testable... ...different event distributions

Conclusions

many possible candidates
few well-motivated

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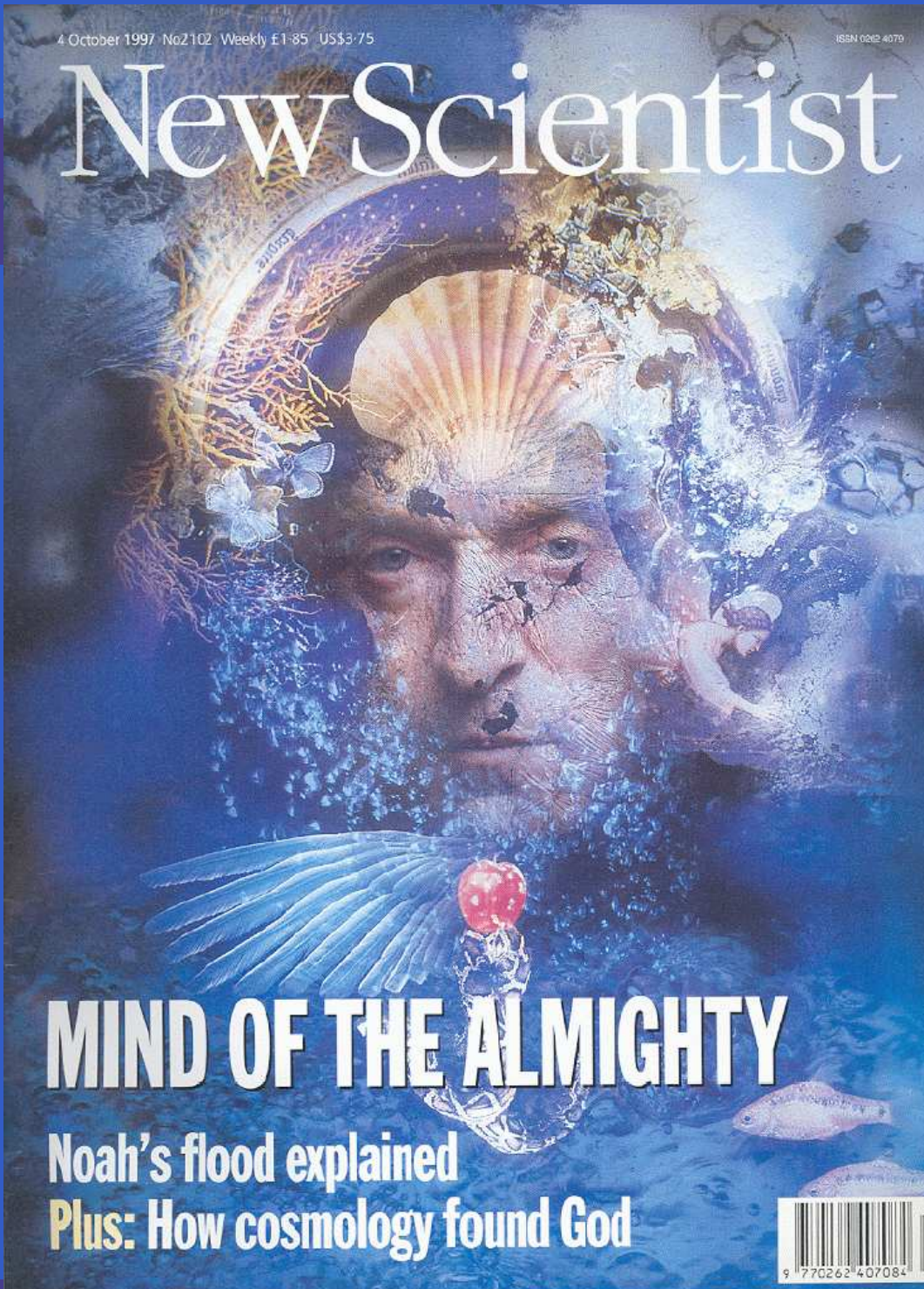
... whether the favourite neutralino WIMP or alternatives

expect a wealth of data from DD, Tevatron & the LHC

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